

# Status of research on the assimilation of cloud affected infrared radiances at EC

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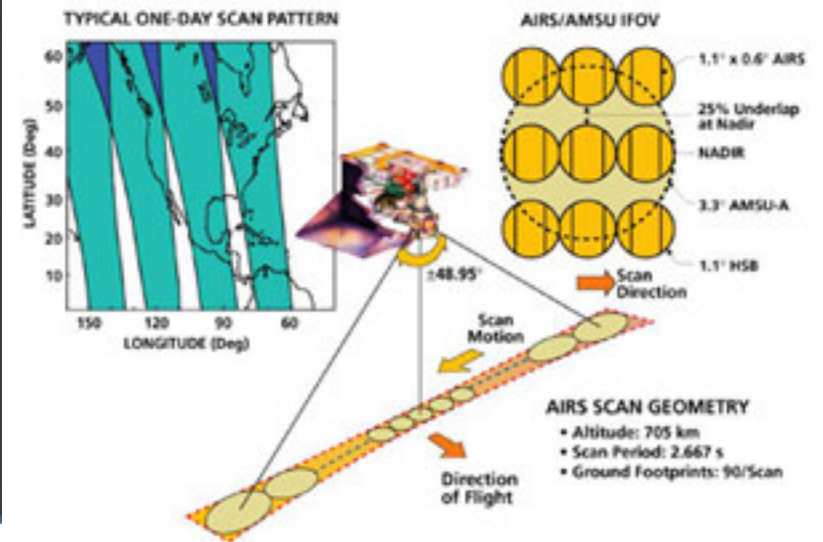
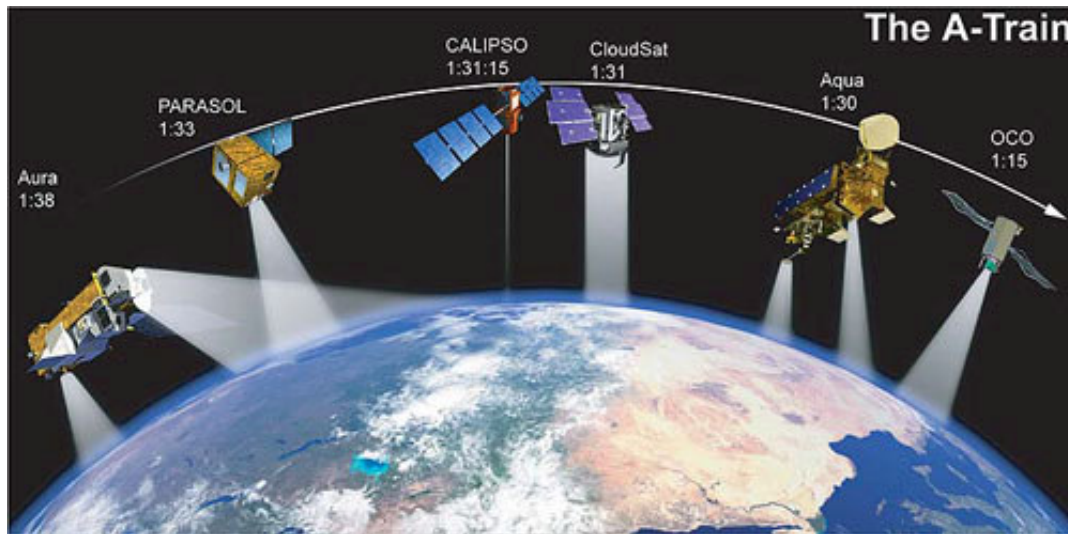


Environment  
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# AIRS instrument overview



- High spectral resolution infrared vertical sounder (2378 channels between 15.5  $\mu\text{m}$  and 3.6  $\mu\text{m}$ ) onboard AQUA : Provides information on temperature, humidity, ozone, etc...
- 281 channels received at CMC
- FOV 13.5 km at nadir, swath 1650 km
- One of 9 received, effective resolution 40 km

# Outline

- Notions of infrared radiative transfer in the clear and cloudy case
- The future operational system for the assimilation of clear AIRS channels
- Different approaches for the assimilation of cloudy infrared radiances
- Detailed presentation of our approach
- Theoretical 1D-var study
- 3D-var studies
- Conclusion, perspectives

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# Clear sky radiative transfer (1)

(equations valid for scattering free atmosphere and local thermodynamical equilibrium)

$$I_{clear}(\nu) = \epsilon_s \tau_s B(\nu, T_s)$$

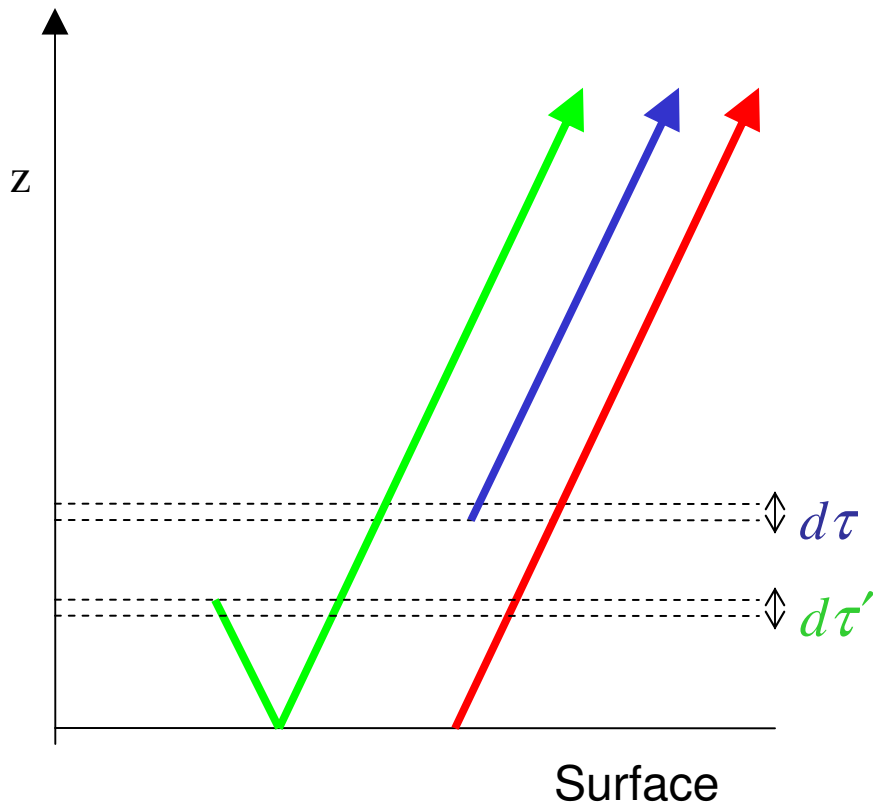
$$+ \int_{\tau_s}^{1.0} B[\nu, T(\tau)] d\tau$$

$$+ (1 - \epsilon_s) \tau_s \int_{\tau_s}^{1.0} B[\nu, T(\tau')] d\tau'$$

$B(\nu, T)$  Planck function

$\tau$  transmission function between TOA and current level

$\tau'$  transmission function between surface and current level

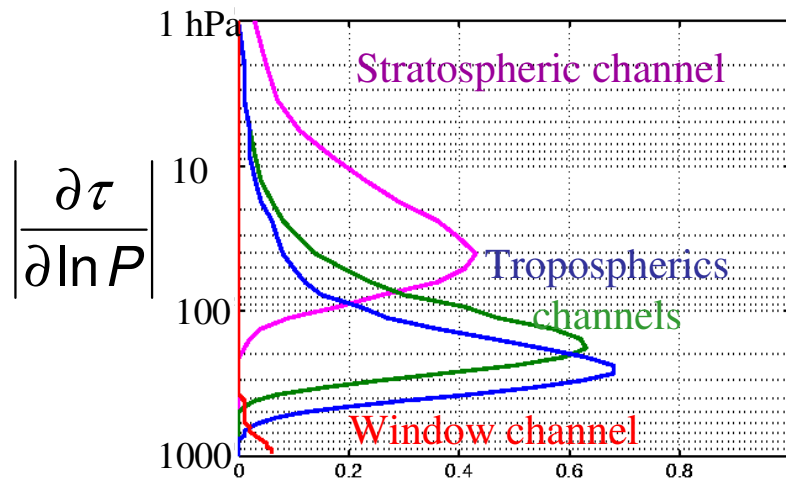


# Clear sky radiative transfer (2)

$$\int_{\tau_s}^{1.0} B[\nu, T(\tau)] d\tau = \int_{\ln P_s}^{-\infty} \underbrace{B[\nu, T(\ln P)]}_{\text{Temperature}} \underbrace{\left( \frac{\partial \tau(\nu)}{\partial \ln P} \right)}_{\text{Atmospheric composition}} d \ln P$$

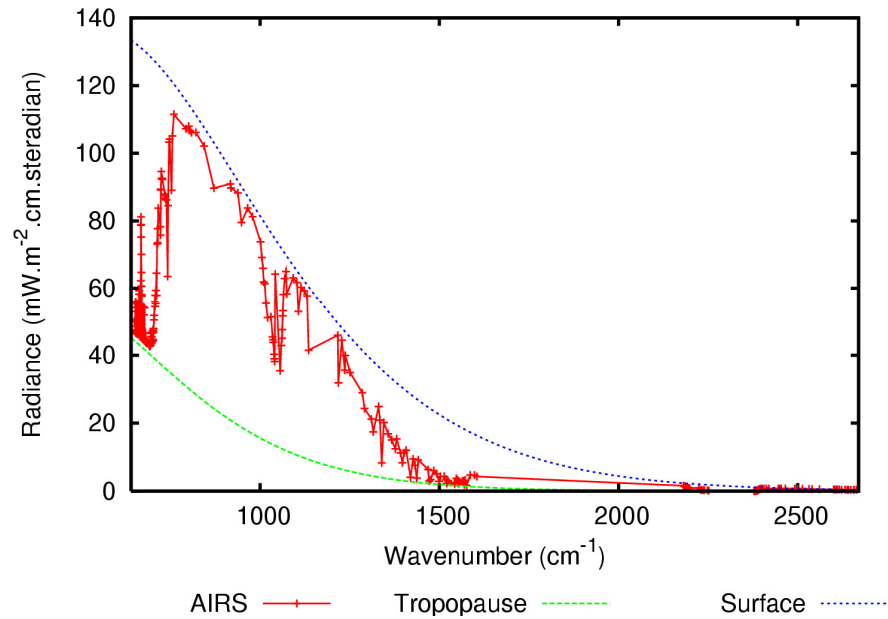
weighting function

*Weighting functions of 4  
AIRS channels*

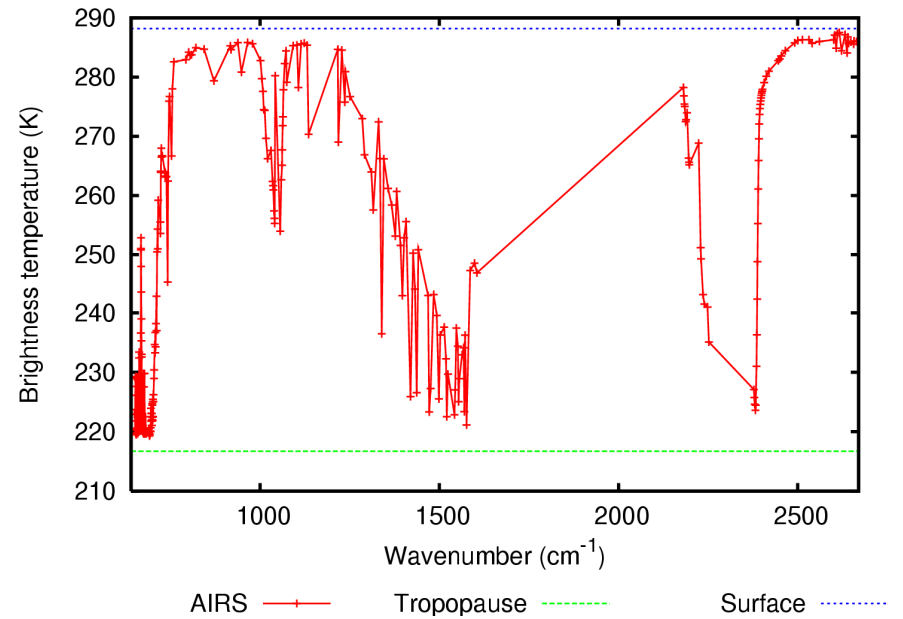


# Clear sky radiative transfer (3)

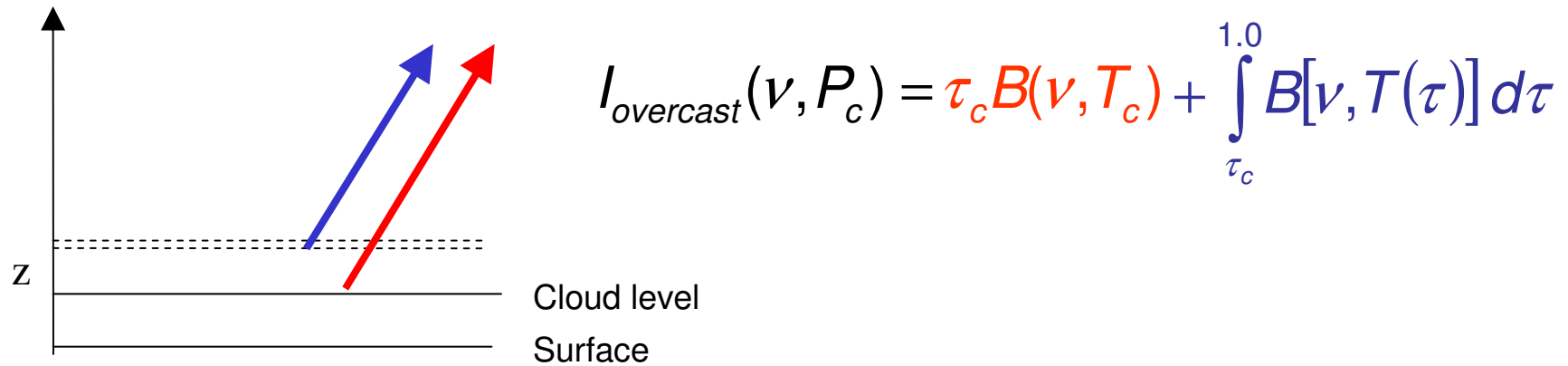
## Radiance spectrum



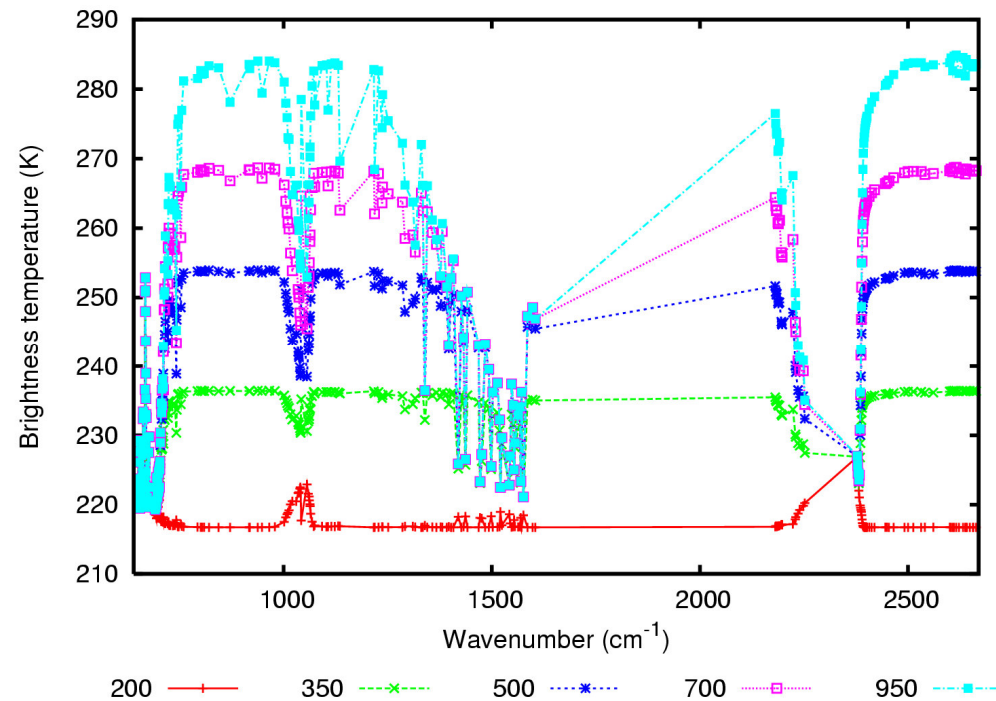
## Brightness temperature spectrum



# Cloudy radiative transfer : overcast black cloud



Simulated spectra for different cloud top pressures  $P_c$ :





# Cloudy radiative transfer : grey cloud

$$I_{grey}(\nu) = N\epsilon(\nu)I_{overcast}(\nu, P_c) + (1 - N\epsilon(\nu))I_{clear}(\nu)$$

N : geometrical cloud fraction : i.e. fraction of the satellite field of view covered by clouds

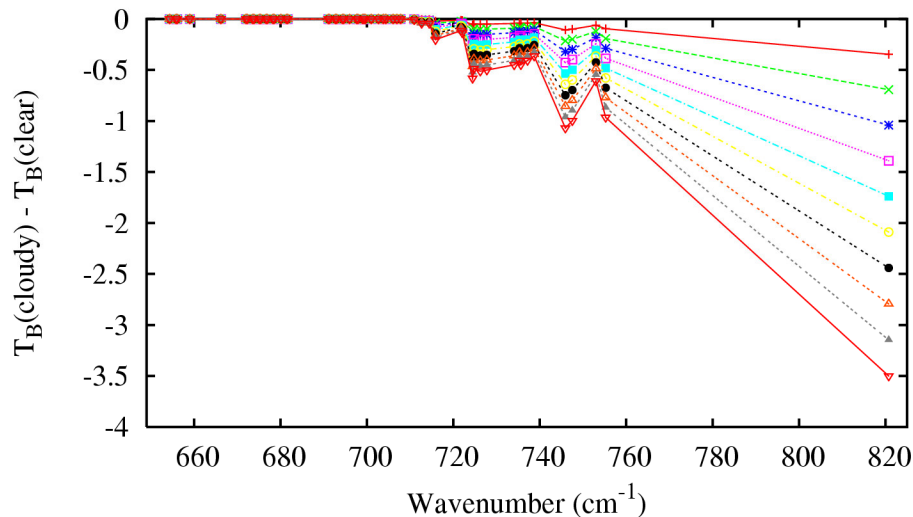
$\epsilon(\nu)$ : cloud spectral emissivity different of 1.0 if semi-transparent cloud

$N\epsilon(\nu)$ : cloud effective emissivity

Simulated spectra for different cloud top pressures and cloud effective emissivity

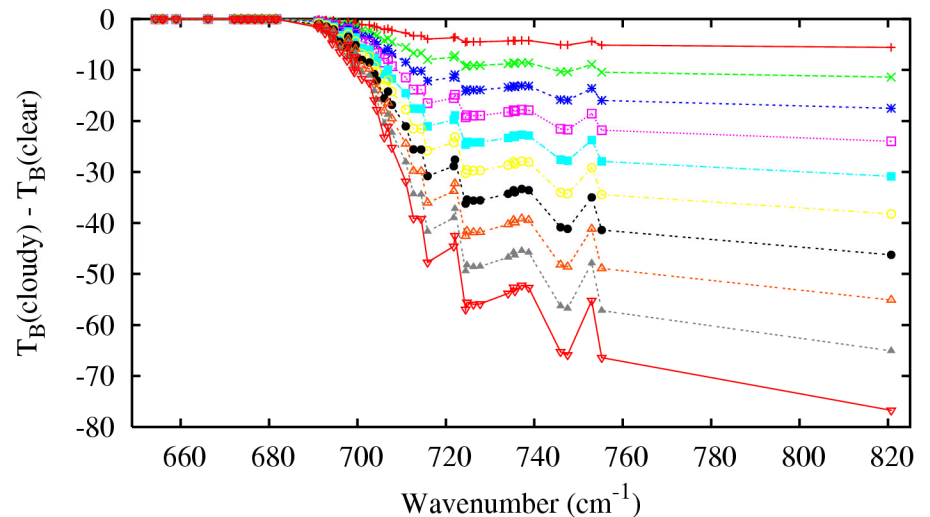
Low cloud case

$P_c = 900$  hPa



High cloud case

$P_c = 200$  hPa



# Cloudy radiative transfer : sophisticated cloud radiative modeling

e.g. use of RTTOVCLOUD

Necessary inputs :

- Cloud fraction profile
- Cloud liquid (or ice ) water content profiles
- Hydrometeor size (and shape for ice) distributions

And even more sophisticated:

- 3D cloud field
- Monte-Carlo
- Etc...

# Outline

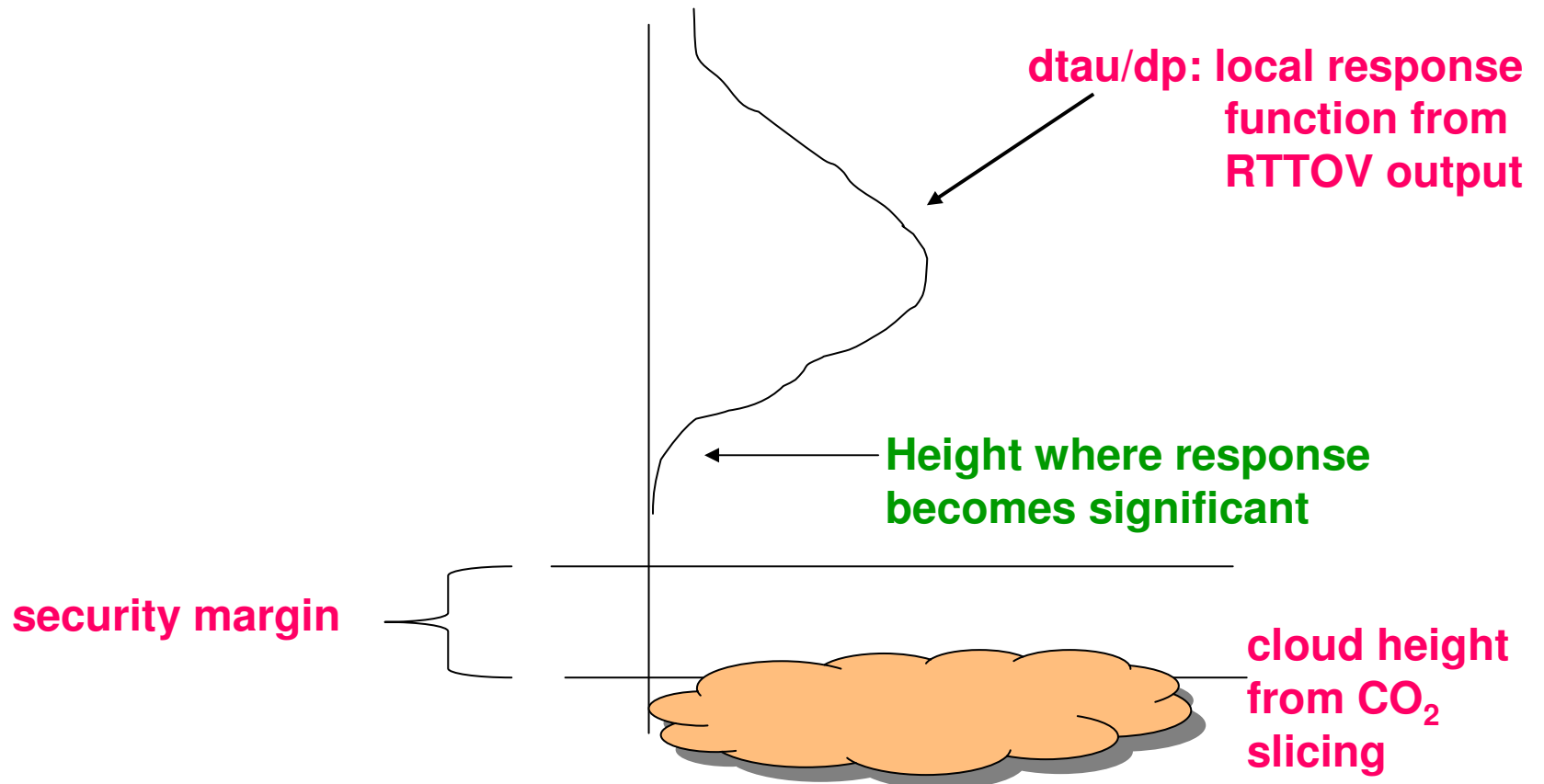
- Notions of infrared radiative transfer in the clear and cloudy case
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# AIRS QUALITY CONTROL (QC)

1. Gross check:  $BT > 150 \text{ K}$ ,  $BT < 350 \text{ K}$
2. NESDIS noise flag = 0 (OK). Recently found important: local info.
3. Cloudy or clear ? Based on window channel+ trial T profile
  - \* Garand-Nadon 1998 algorithm
  - \* NESDIS daytime cloud fraction  $> 5\%$  = cloudy
  - \* Invert RTE for TS using  $BT(\text{window})$  assuming trial T,q profile perfect
    - if  $|TS(\text{window}) - TS(\text{guess})| > 2\text{K}(\text{ocean})$  or  $4\text{K}(\text{not ocean})$ , cloudy
4. If cloudy, **is the radiance cloud-affected?** Answer from  $\text{CO}_2$  slicing of cloud height estimate + local response function: cloud must be below level where response function ( $d\tau/dp$ ) becomes significant + security margin of at least 50 hPa

# Is the radiance clear?

- CO<sub>2</sub> slicing: 12 estimates of cloud height from as many channels coupled with a reference profile peaking near the surface. Mean of valid estimates used.
- Security margin is max (50 hPa, std among valid estimates)



# CO<sub>2</sub> slicing

For the pair: Reference and k channels (12.2 to 14.4 μm)

Reference channel peaks low (sensitive to all clouds). Other channels peak at various heights. From  $I_o = I_{clr}(1-N\epsilon) + N\epsilon I_{cld}$

$$(I_{clr}-I_o)_k / (I_{clr}-I_o)_{ref}$$

$$- [N\epsilon(I_{clr}-I_p)]_k / [N\epsilon(I_{clr}-I_p)]_{ref} = F(p)$$

$N\epsilon$  cancels, assuming same emissivity in k and ref channels.

$F(p)$  minimum defines top pressure  $cp$ .

Effective cloud fraction then obtained from either channel:

$$N\epsilon = (I_{clr} - I_o) / (I_{clr} - I_{cp})$$

If no well defined minimum:  $cp$  based on window channel BT matched with guess T profile.  $N\epsilon$  is then unity.



Method allows to obtain equivalent cloud fraction from single FOV

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## Various approaches for cloudy radiances assimilation: The conservative approach

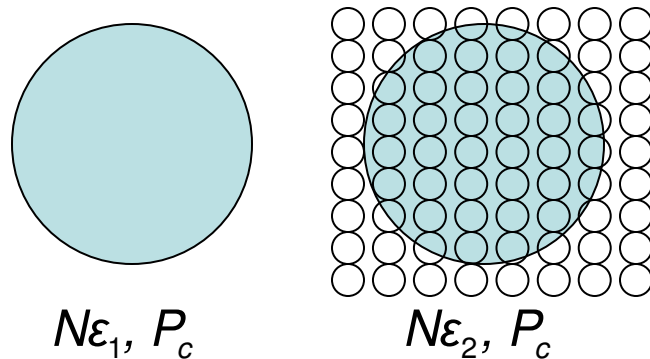
- 2 main options :
  - Assimilate only “clear” fields of view: used operationally at UK Met and Meteo France
  - Assimilate only “clear channels” i.e. channels not affected by clouds (channels whose weighting function peak above the cloud in a cloudy FOV): used at ECMWF and here at CMC for the AIRS radiances.



## Various approaches for cloudy radiances assimilation: Use of cloud cleared radiances (1)

- Cloud cleared radiances: radiances corrected to remove the effect of clouds
- Example: the  $N^*$  method (Smith, 1968)

Consider 2 adjacent FOVs:



$$N^* = \frac{(N\varepsilon)_1}{(N\varepsilon)_2} = \frac{I_{obs1} - I_{clear}}{I_{obs2} - I_{clear}}$$

$$I_{clear} = \frac{N^* I_{obs2} - I_{obs1}}{N^* - 1}$$

Spectral variation of  $N^*$  is neglected

Estimation of  $N^*$ :

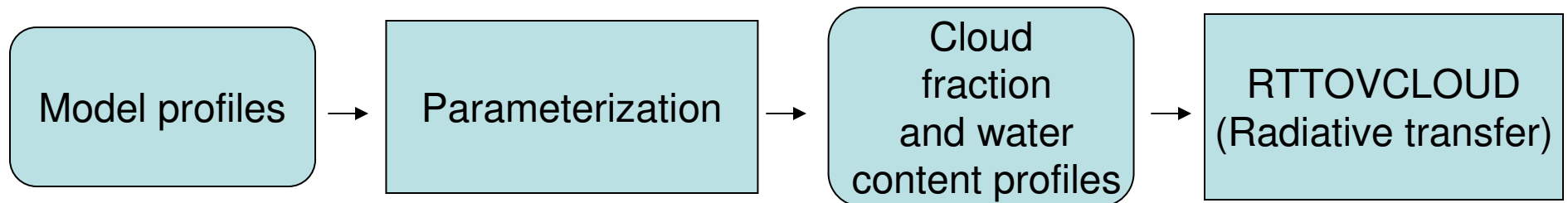
- use of spatially and temporally co-located sub-pixel observations (like MODIS or AVHRR)
- use of a window channel (easy to calculate  $I_{clear}$  with  $T_s$  only)
- use of microwave data to estimate the clear infrared radiance
- etc...

## Various approaches for cloudy radiances assimilation: Use of cloud cleared radiances (2)

- Potential problems with cloud cleared radiances:
  - Cloud cleared radiances are not “true” observations
  - Homogeneity of error statistics ?
  - Loss of data due to transmission and processing delay
- But:
  - Cloud cleared radiances seem to be used with success for retrieval of T, H<sub>2</sub>O and O<sub>3</sub> profiles
  - Their use in an assimilation system is under study at ECMWF (?)

## Various approaches for cloudy radiances assimilation: Full blown cloudy radiance assimilation

- Include a sophisticated, realistic cloud modeling in the observation operator and perform the assimilation
- Problem: high non linearity of the observation operator



Approach tried by Chevallier et al. 2001 (ECMWF)  
and Dahoui (2006) in his PhD thesis

## Proposed approach

Use of a simplified cloud radiative modeling using effective parameters: like cloud top pressure and effective emissivity.

Approach under study here and at other centers:

- Météo-France (N. Fourrié)
- UK Metoffice (E. G. Pavelin)
- ECMWF (T. Auligné) ??

- Semi-transparent mono-layered cloud with effective emissivity  $N\varepsilon(\nu)$  :

$$I_{cld}(\nu) = N\varepsilon(\nu)I_{overcast}(\nu, P_c) + (1 - N\varepsilon(\nu))I_{clear}(\nu)$$

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## Cloud emissivity model (1)

$$N\varepsilon(\nu) = 1 - \exp[-k_{cld}(\nu)\delta]$$

$\delta$ : effective cloud depth

$k_{cld}$  cloud effective optic properties accounting approximately for scattering following Chou et al. 1999 :

$$k_{cld}(\nu) = k_{ext}(\nu)[(1 - \omega(\nu)) + b(\nu)\omega(\nu)]$$

With  $\omega$  the single scattering albedo,  $k_{ext}$  the extinction coefficient and  $b$  the backscattered fraction :

$$b = \frac{1}{2} \int_0^1 d\mu \int_{-1}^0 \overline{P}(\mu, \mu') d\mu'$$

## Cloud emissivity model (2)

- Liquid cloud optical properties from Lindner and Li (2000) parameterization as a function of the effective radius  $r_e$ .
- Ice cloud optical properties from Baran et al. (2004, 2002 and 2005 private communication) for hexagonal column ice crystals as a function of the effective diameter  $D_e$ .

Optical properties are combined given the liquid fraction  $f_w$  from Rockel et al. (1991)

$$f_w = \begin{cases} 0.0059 + 0.9941 \exp[-0.003102(T_c - 273.16)^2] & ; \quad T_c < 273.16 \\ 1.0 & ; \quad T_c > 273.16 \end{cases}$$

$$k_{ext} = f_w k_{ext}^w + (1 - f_w) k_{ext}^i$$

$$\omega = \frac{f_w k_{ext}^w \omega^w + (1 - f_w) k_{ext}^i \omega^i}{f_w k_{ext}^w + (1 - f_w) k_{ext}^i}$$

$$b = F(g) \approx \frac{1 - g}{2} \quad \text{with}$$

$$g = \frac{f_w k_{ext}^w \omega^w g^w + (1 - f_w) k_{ext}^i \omega^i g^i}{f_w k_{ext}^w \omega^w + (1 - f_w) k_{ext}^i \omega^i}$$

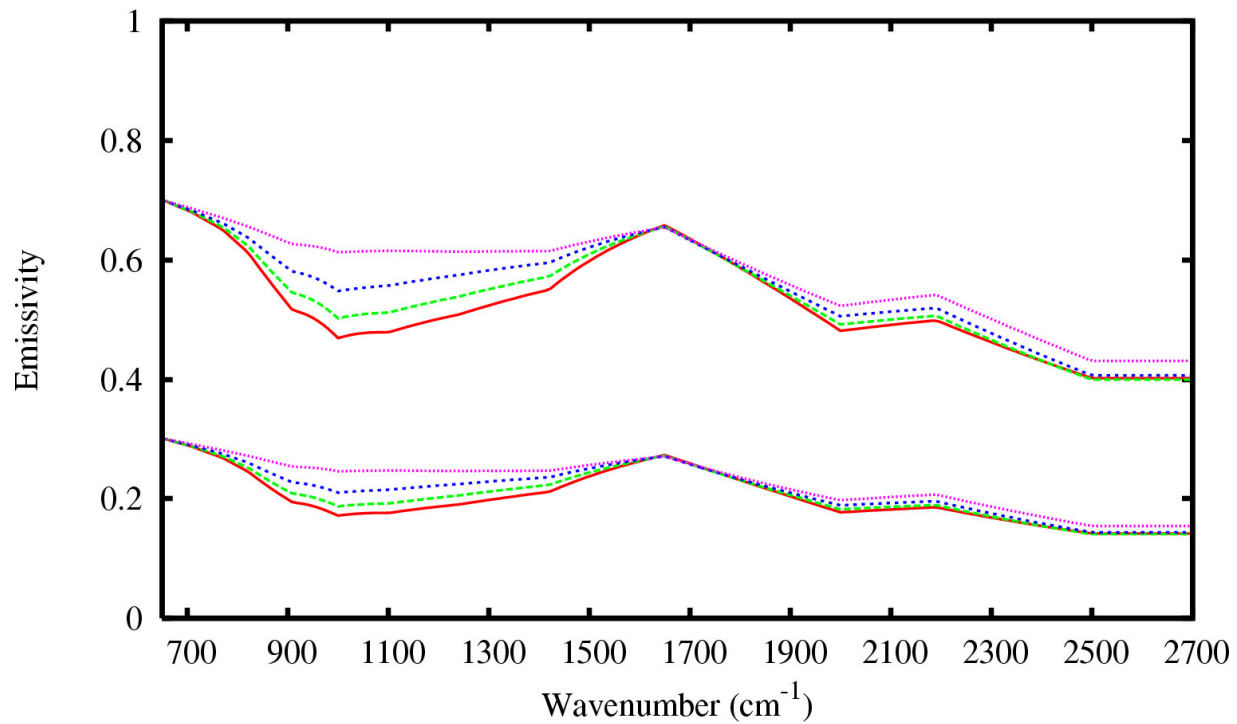
## Cloud emissivity model (3)

- To summarize a full cloud radiance spectrum can be simulated using only 4 parameters :
  - The cloud top pressure  $P_c$  (gives also the cloud temperature  $T_c$ )
  - The effective cloud depth  $\delta$
  - The cloud effective radius  $r_e$  (liquid phase)
  - The cloud effective diameter  $D_e$  (ice phase)



# Examples of cloud emissivity spectra (1)

**Liquid Water cloud: 15  $\mu\text{m}$  emissivity set to 0.7 or 0.3**



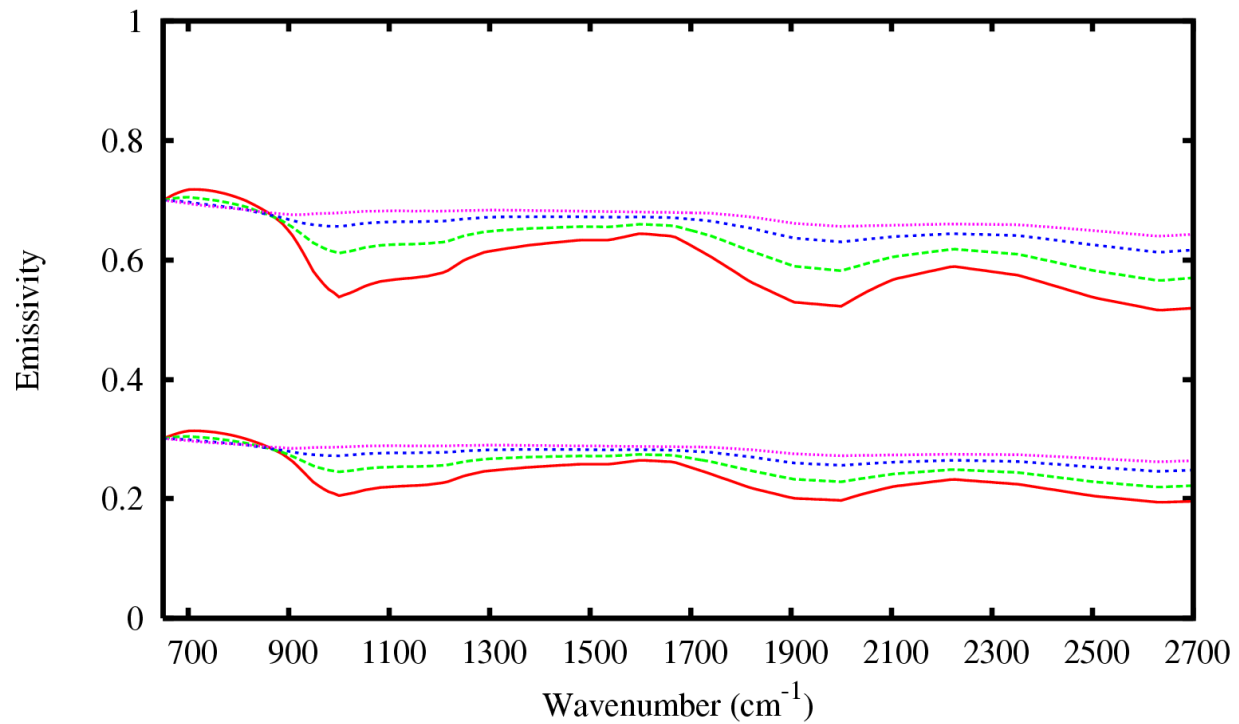
$r_e=8.0 \mu\text{m}$   
 $r_e=10.0 \mu\text{m}$

—  $r_e=13.0 \mu\text{m}$   
- - -  $r_e=18.0 \mu\text{m}$

.....  
.....

# Examples of cloud emissivity spectra (2)

## Ice Water cloud: 15 $\mu\text{m}$ emissivity set to 0.7 or 0.3



$D_e = 25.0 \mu\text{m}$   
 $D_e = 50.0 \mu\text{m}$

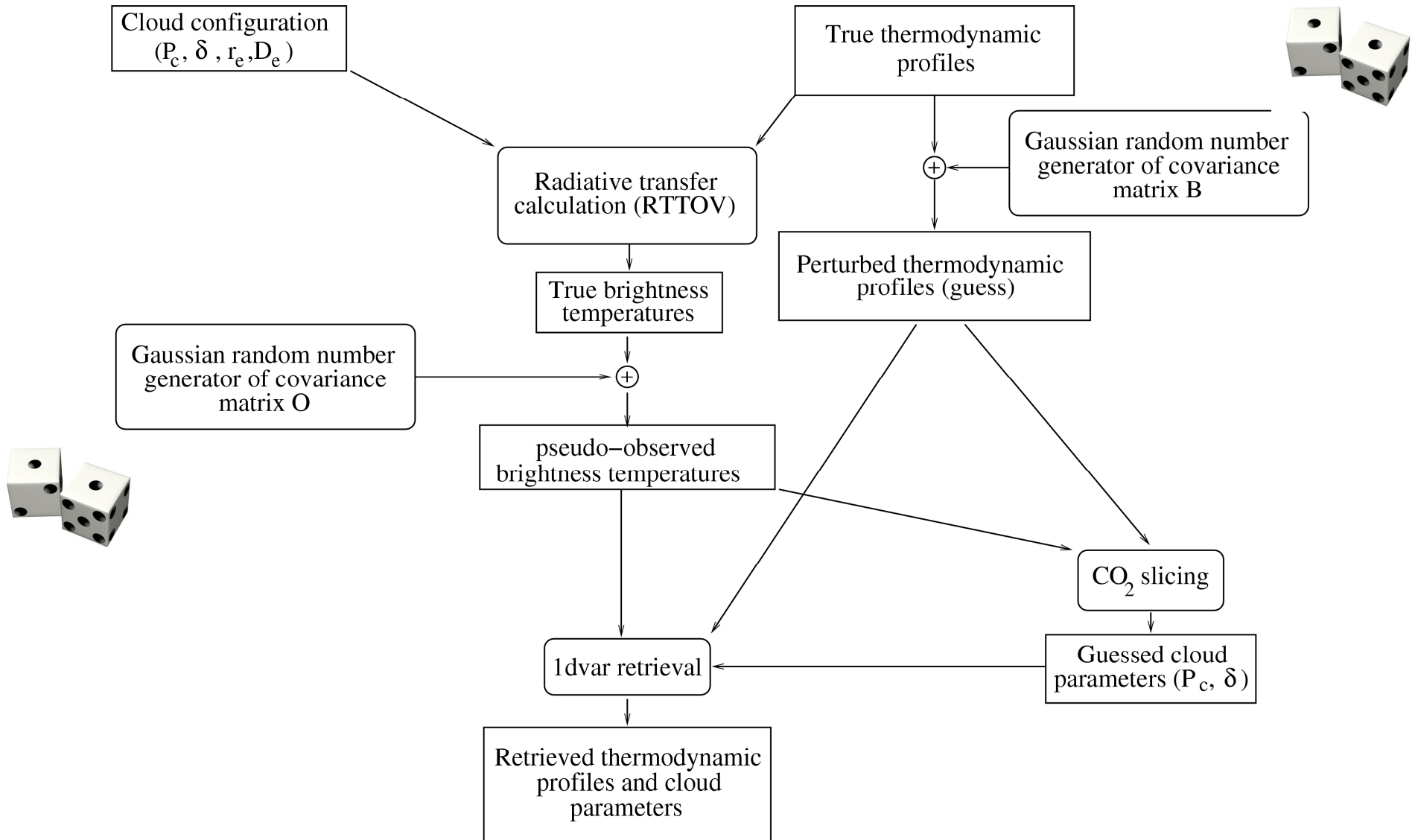
$D_e = 75.0 \mu\text{m}$   
 $D_e = 100.0 \mu\text{m}$

.....  
.....

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# Principle of the Monte-Carlo experiments (1)



## Principle of the Monte-Carlo experiments (2)

$\mathbf{x}$ : vector of temperature and humidity profiles, surface pressure, skin surface temperature

$\mathbf{z}$ : cloud parameters vector

$\mathbf{y}$ : vector of brightness temperatures

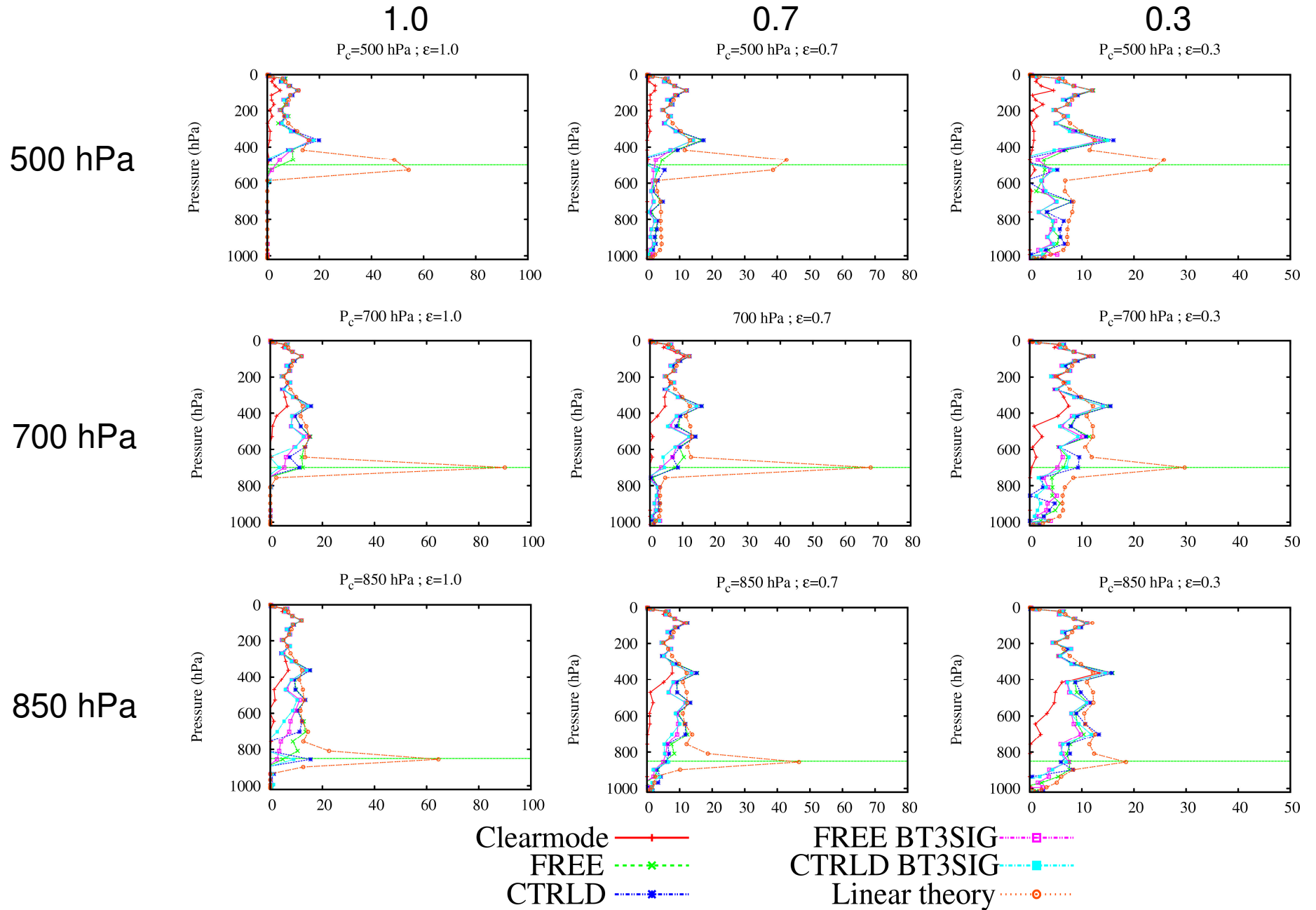
$$\tilde{\mathbf{x}} = (\mathbf{x}, \mathbf{z})$$

$$J_c(\tilde{\mathbf{x}}) = \left\{ \underbrace{(\mathbf{x} - \mathbf{x}_b)^t \mathbf{B}^{-1} (\mathbf{x} - \mathbf{x}_b)}_{\text{Background term}} + \underbrace{(\mathbf{z} - \mathbf{z}_b)^t \mathbf{C}^{-1} (\mathbf{z} - \mathbf{z}_b)}_{\text{Cloudy background term}} + \underbrace{(\mathbf{H}_c(\tilde{\mathbf{x}}) - \mathbf{y})^t \mathbf{O}^{-1} (\mathbf{H}_c(\tilde{\mathbf{x}}) - \mathbf{y})}_{\text{Observation term with cloud}} \right\}$$

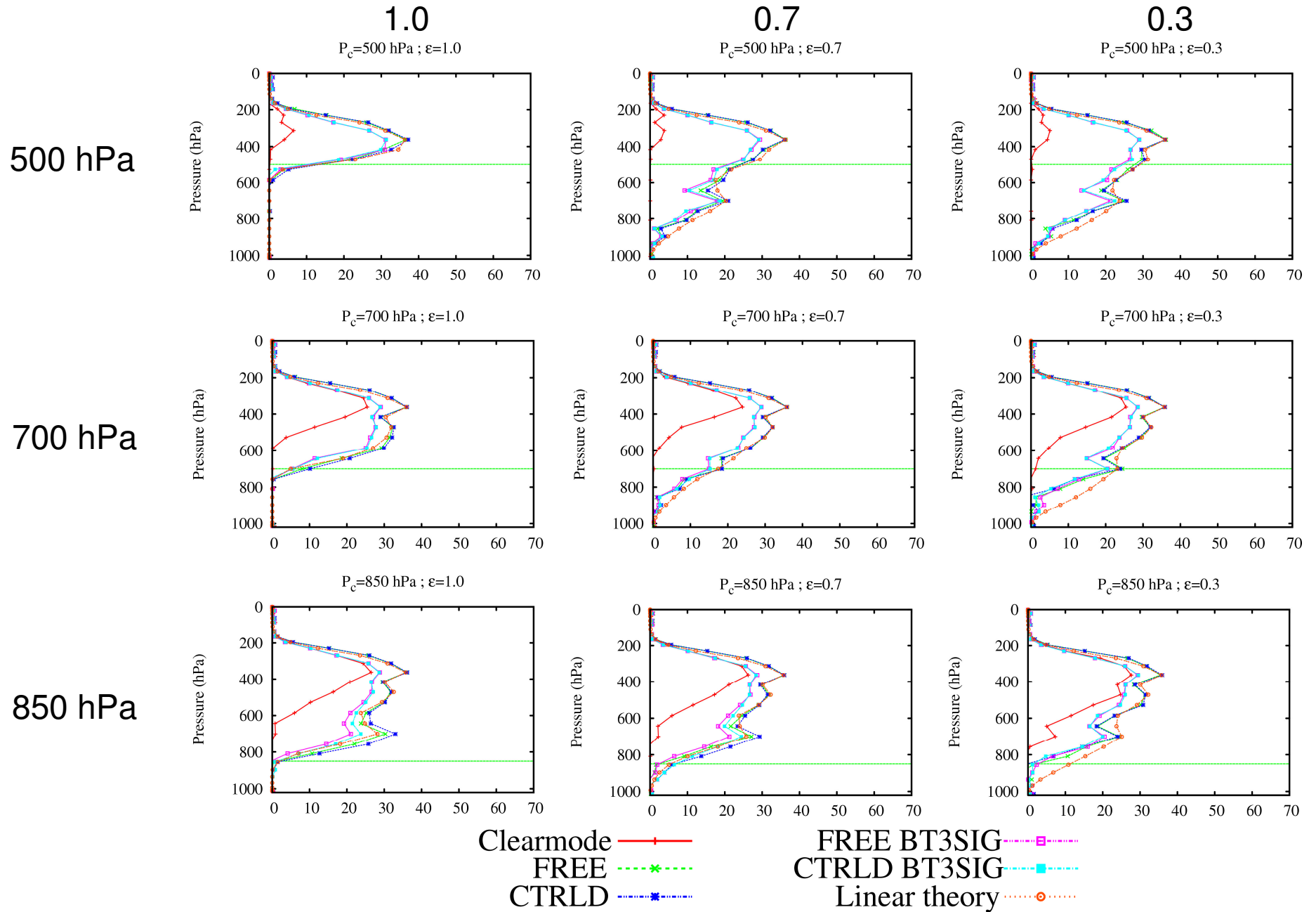
$\mathbf{x}_a$  obtained by minimization of the 1Dvar cost function with cloud  $J_c$

- Statistics calculated for 1000 realizations for each cloud configuration :
  - Bias:  $\mathbf{b} = \langle \mathbf{x}_t - \mathbf{x}_a \rangle$
  - Analyzed covariance:  $\mathbf{A}_{ij} = \langle (\mathbf{x}_{ti} - \mathbf{x}_{ai} - \mathbf{b}_i)(\mathbf{x}_{tj} - \mathbf{x}_{aj} - \mathbf{b}_j) \rangle$
  - Variance reduction:  $\mathbf{V}_r = \text{diag}(\mathbf{I} - \mathbf{A}\mathbf{B}^{-1})$
  - Degrees of freedom for signal:  $DFS = \text{Trace}(\mathbf{I} - \mathbf{A}\mathbf{B}^{-1})$

# Variance Reduction for temperature profiles



# Variance reduction for water vapor profiles



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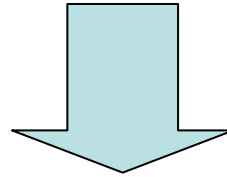
# Proposed 3D/4Dvar assimilation

Addition to the state vector  $\mathbf{x}$  of a *local* estimate of the 4 cloud parameters at each AIRS observation location

$$\mathbf{x} \rightarrow \tilde{\mathbf{x}} = (\mathbf{x}, \mathbf{z})$$

$\mathbf{x}$ : model fields

$\mathbf{z}$  : local cloud effective parameter vector



$$\text{Dim}(\mathbf{x}) \sim 10^6 - 10^7$$

$$\text{Dim}(\mathbf{z}) = 4N_{\text{obs}} \sim 10^4$$

$$J_c(\tilde{\mathbf{x}}) = \left\{ \underbrace{(\mathbf{x} - \mathbf{x}_b)^t \mathbf{B}^{-1} (\mathbf{x} - \mathbf{x}_b)}_{\text{Background term}} + \underbrace{(\mathbf{z} - \mathbf{z}_b)^t \mathbf{C}^{-1} (\mathbf{z} - \mathbf{z}_b)}_{\text{Cloudy background term}} + \underbrace{(\mathbf{H}_c(\tilde{\mathbf{x}}) - \mathbf{y})^t \mathbf{O}^{-1} (\mathbf{H}_c(\tilde{\mathbf{x}}) - \mathbf{y})}_{\text{Observation term with cloud}} \right\}$$

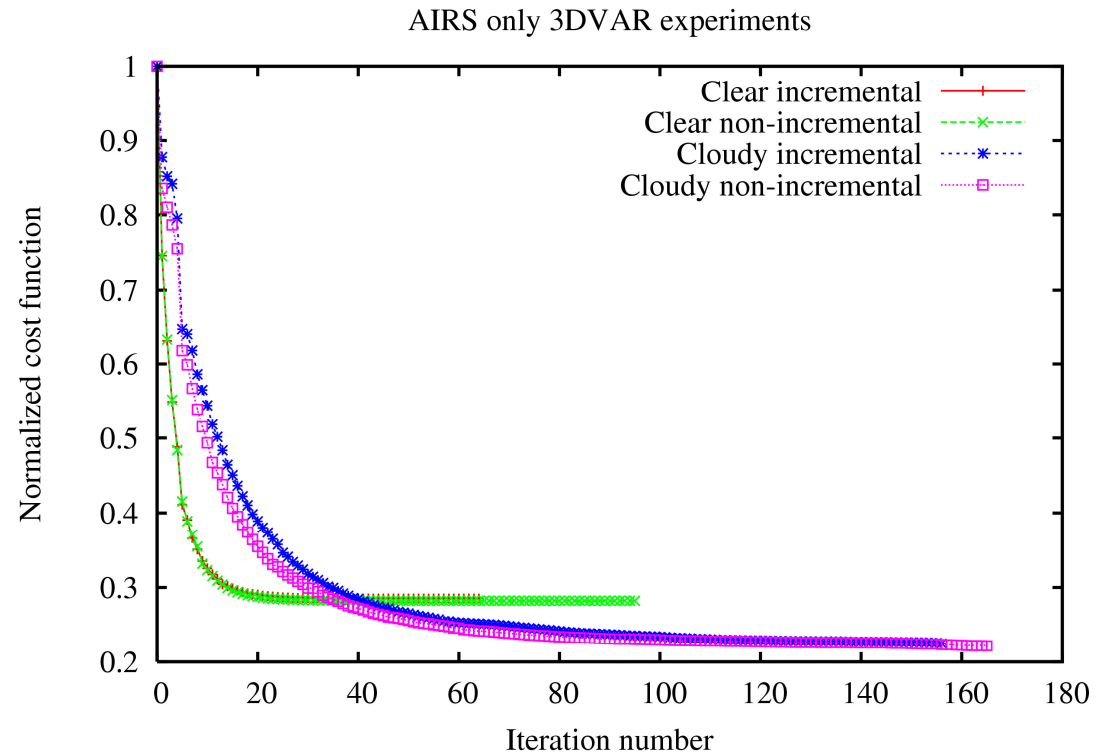
$\mathbf{z}_b$  : cloud background state from CO<sub>2</sub> slicing and climatology

$\mathbf{H}_c$  cloudy observation operator combining RTTOV 8.7 and the cloud emissivity model

Thank to the help of Jacques Hallé our cloudy radiance assimilation was incorporated in a modified version of the assimilation code version 10.0.2

# 3D/4Dvar assimilation : first results (1)

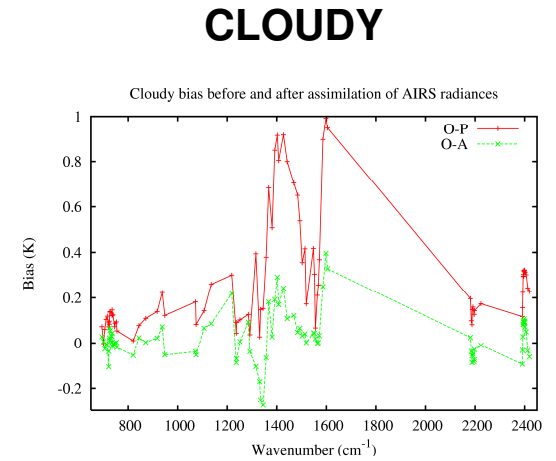
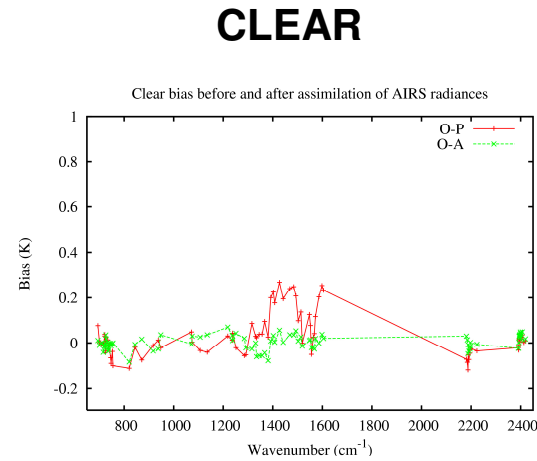
Successful minimization of the cost function. Number of iterations in the cloudy case might be reduced by a better preconditioning.



# 3D/4Dvar assimilation : first results (2)

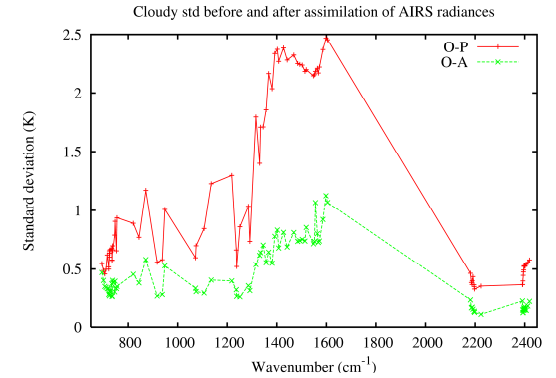
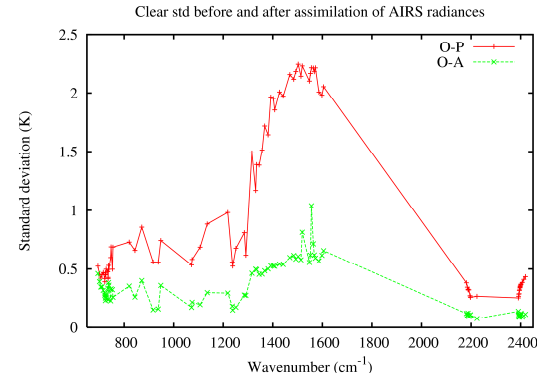
Larger bias for the cloudy analysis

**BIAS**

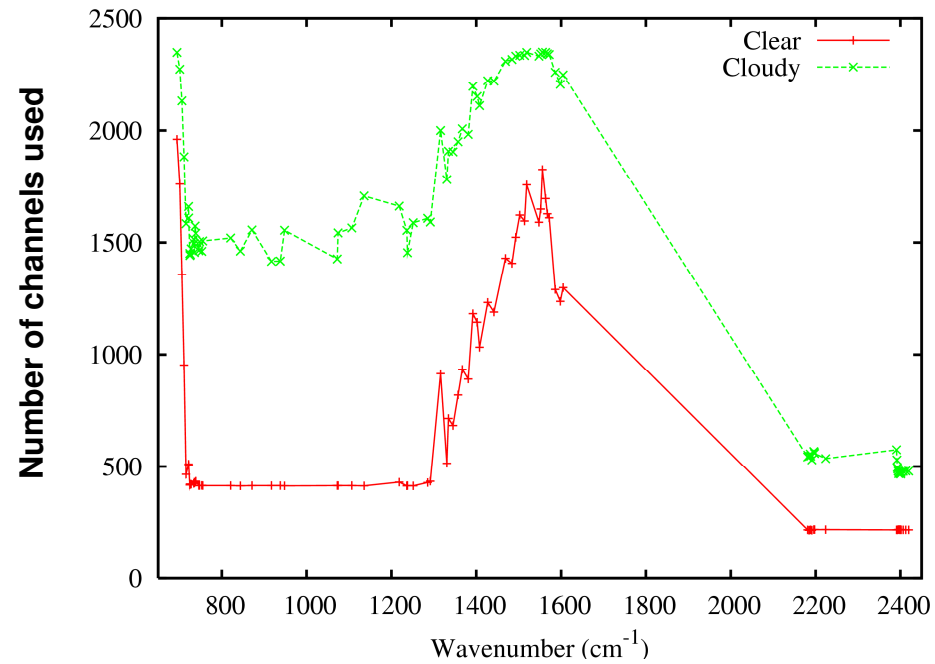


Similar standard deviations

**STD**



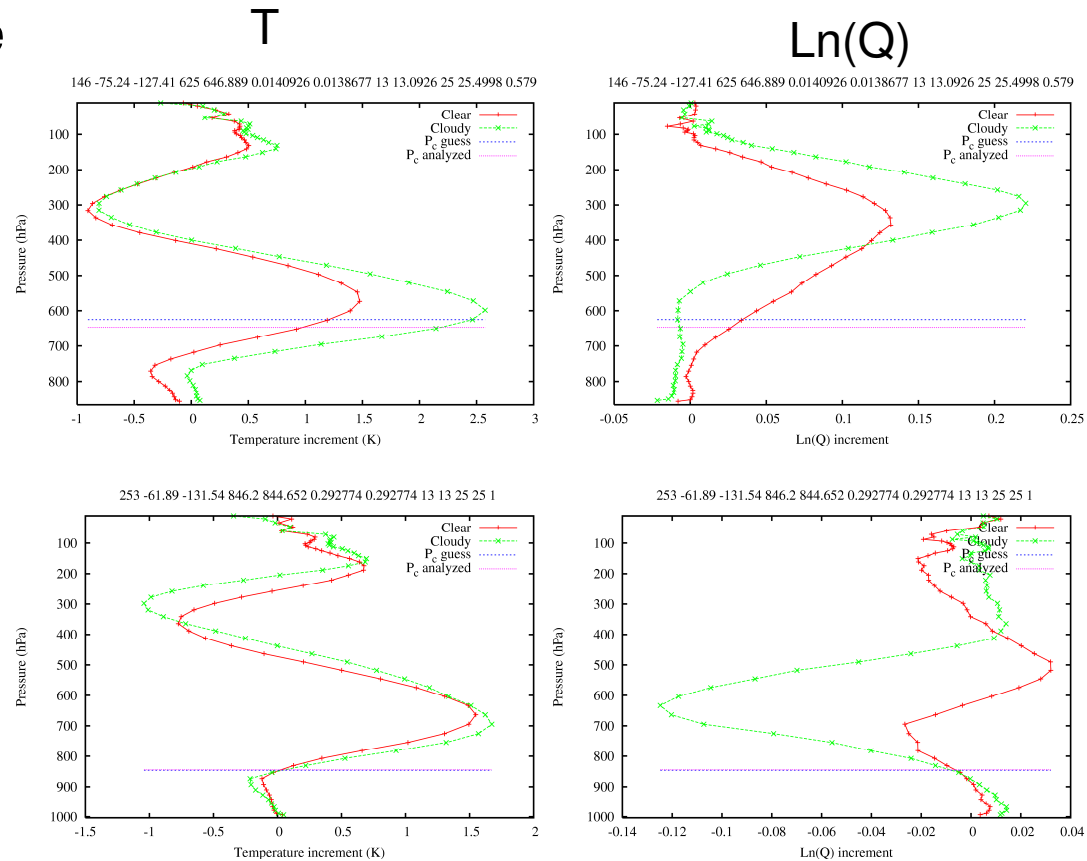
## 3D/4Dvar assimilation : first results (3)



Significant increase in the number of AIRS radiances assimilated

# 3D/4Dvar assimilation : first results (4)

Sample increment profiles located at the AIRS FOV



Overcast cloud

Semi-transparent cloud  
(Nε=0.579)

# 3D/4Dvar assimilation : first results (5)

Small assimilation cycle to test our approach.

1 week cycle (with 48 h forecasts)

From 20041215 to 20041222

Blue: reference

Red: cloudy

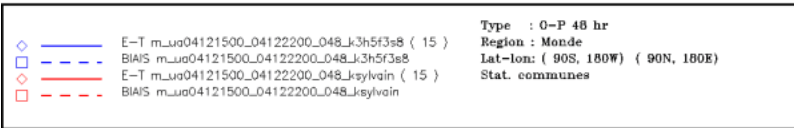
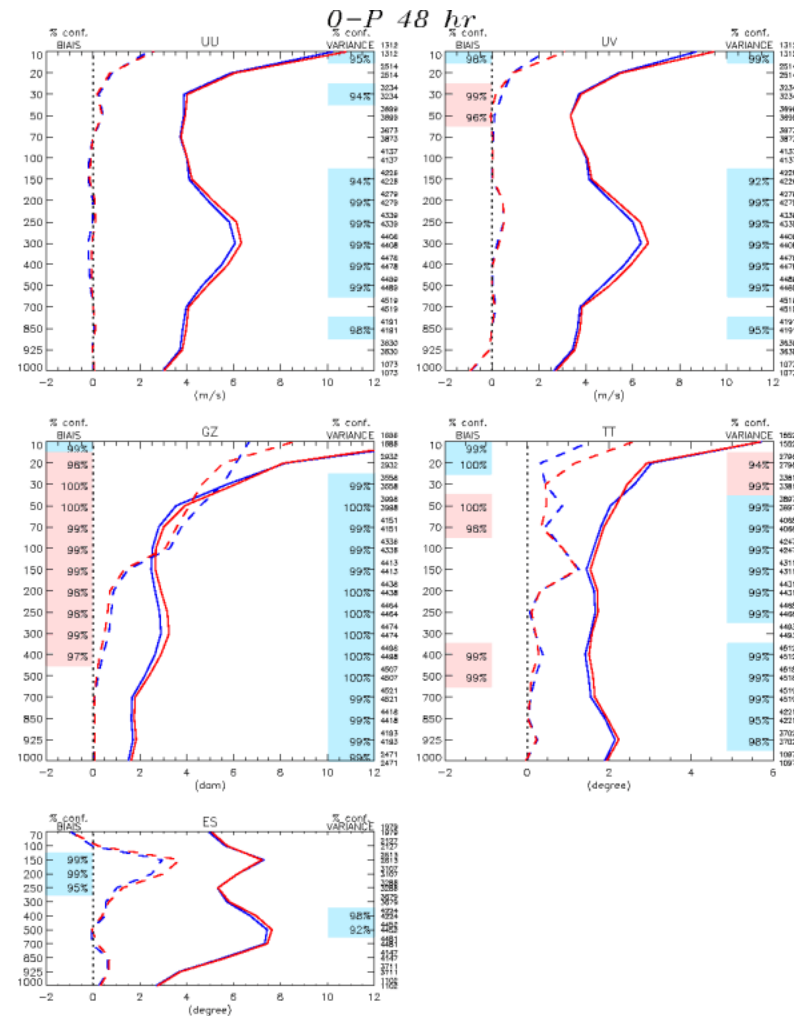
Flat bias correction

Very preliminary quality control

Overall negative impact but not catastrophic with some (small) good points

Points

Double the number of AIRS radiances assimilated



# Conclusion, perspectives

- A new approach for cloudy infrared assimilation was set up and incorporated in CMC's 3D/4D variational assimilation code
- Technically, the assimilation "mechanics" work
- For the first time cloud parameters are part of the 3DVAR minimization as opposed to keeping fixed in the minimization 1DVAR estimates
- Work is needed to improve bias correction and quality control
- Use of sub-pixel information (AVHRR for IASI, MODIS for AIRS) may help