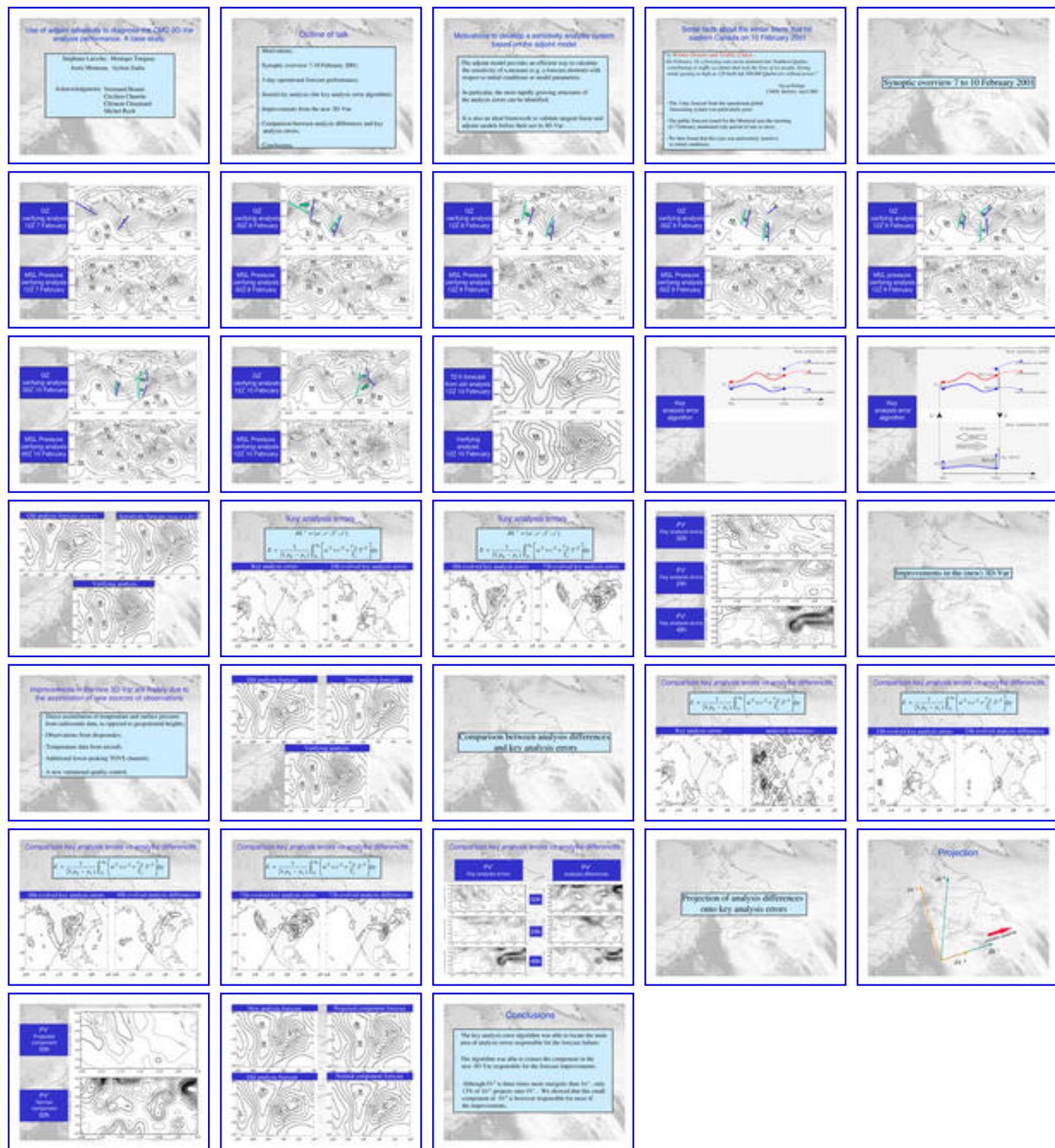


Présentation de Stéphane Laroche



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GOES SURGE=C

Use of adjoint sensitivity to diagnose the CMC 3D-Var analysis performance. A case study.

Stéphane Laroche, Monique Tanguay

Josée Morneau, Ayrton Zadra

Acknowledgments: Normand Brunet
Cécilien Charette
Clément Chouinard
Michel Roch

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Outline of talk

- Motivations;
- Synoptic overview 7-10 February 2001;
- 3-day operational forecast performance;
- Sensitivity analysis (the key analysis error algorithm);
- Improvements from the new 3D-Var;
- Comparison between analysis differences and key analysis errors;
- Conclusions.

Motivations to develop a sensitivity analysis system based on the adjoint model

- The adjoint model provides an efficient way to calculate the sensitivity of a measure (e.g. a forecast element) with respect to initial conditions or model parameters;
- In particular, the most rapidly growing structures of the analysis errors can be identified;
- It is also an ideal framework to validate tangent linear and adjoint models before their use in 4D-Var.

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Some facts about the winter storm that hit eastern Canada on 10 February 2001

“1) Winter Storms and Traffic Chaos

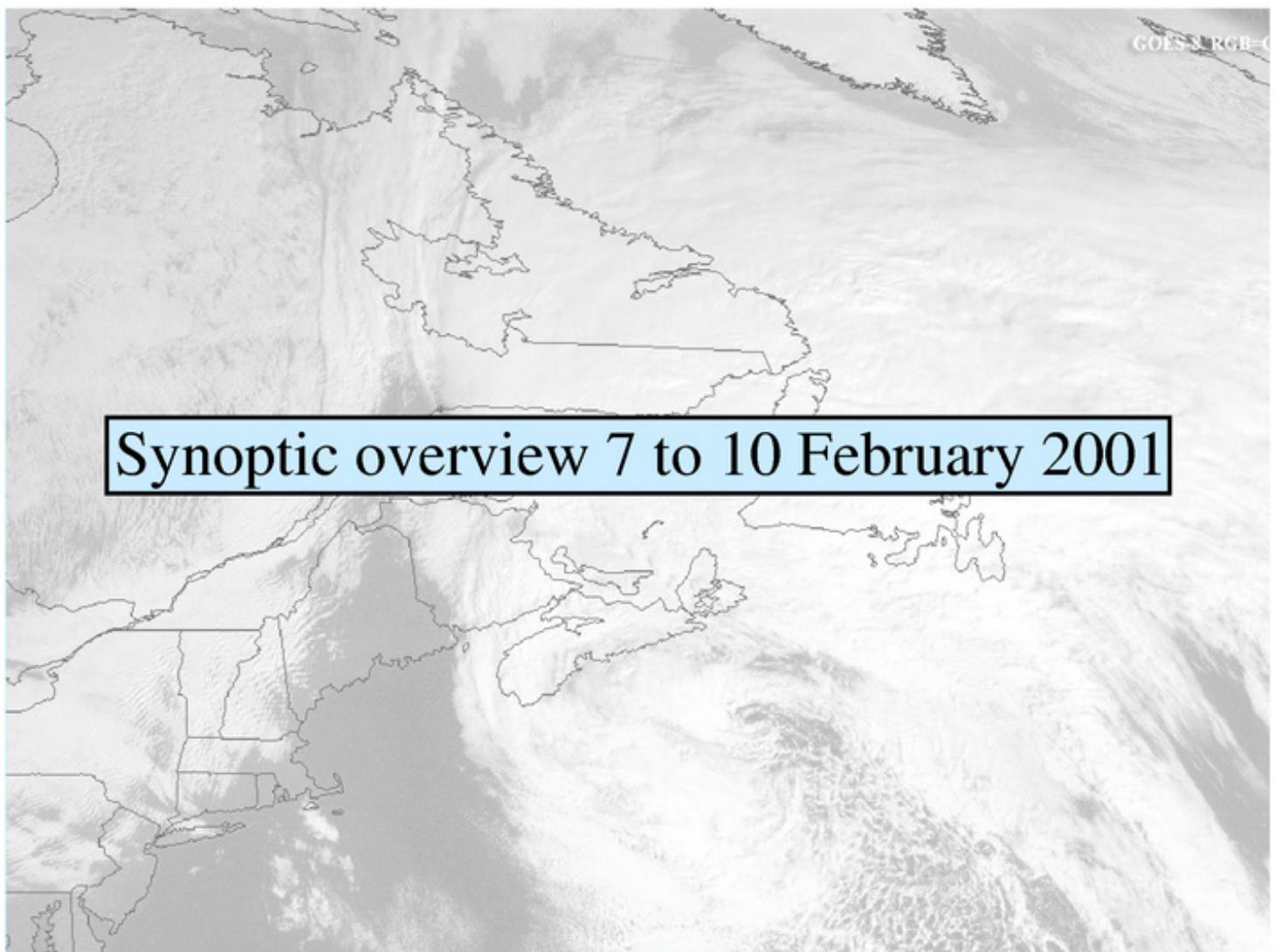
On February 10, a freezing-rain storm slammed into Southern Quebec contributing to traffic accidents that took the lives of six people. Strong winds gusting as high as 120 km/h left 300,000 Quebecers without power.”

David Phillips
CMOS, Bulletin, April 2002

- The 3-day forecast from the operational global forecasting system was particularly poor;
- The public forecast issued for the Montreal area the morning of 7 February mentioned only period of rain or snow;
- We then found that this case was particularly sensitive to initial conditions.

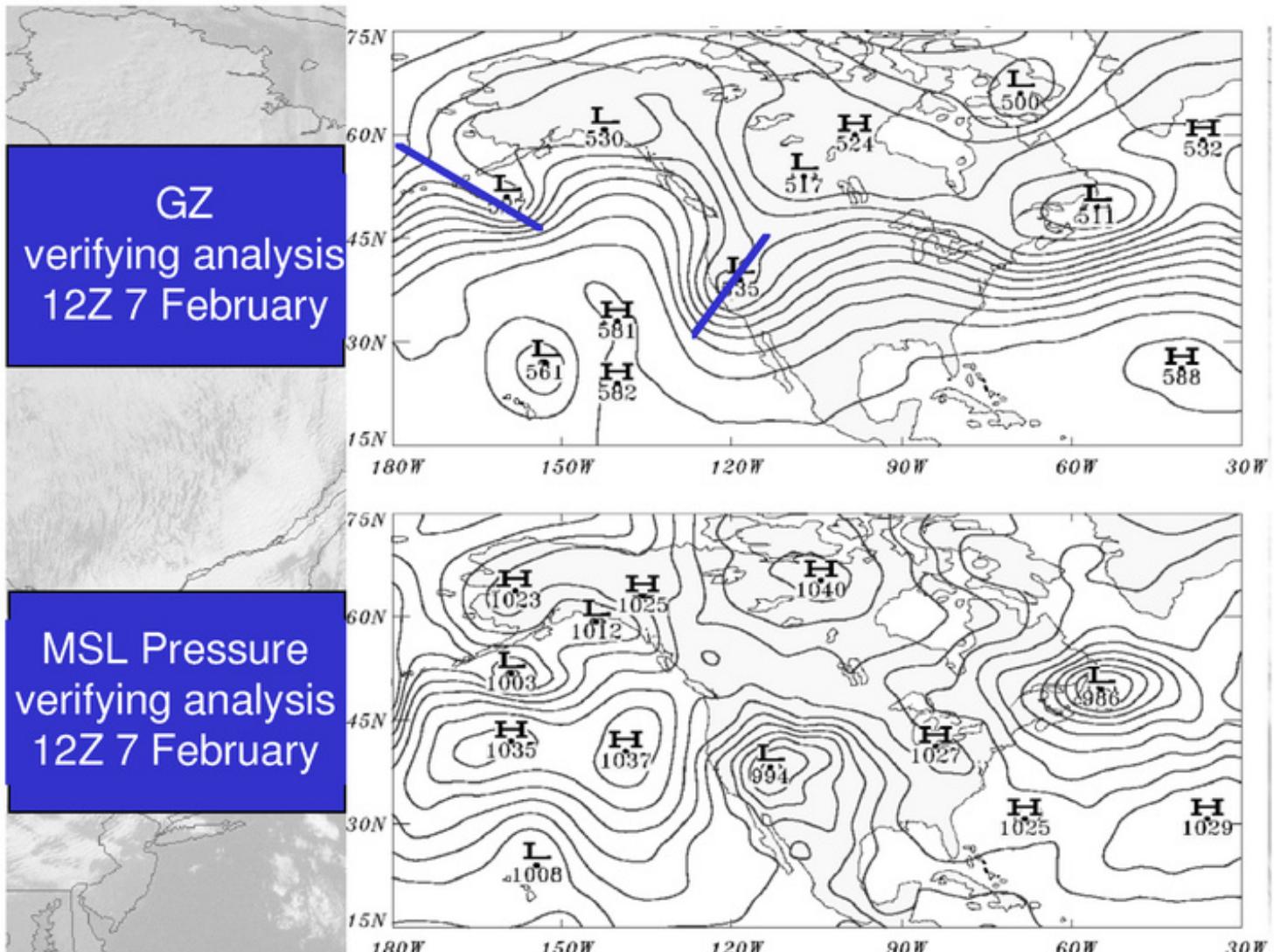
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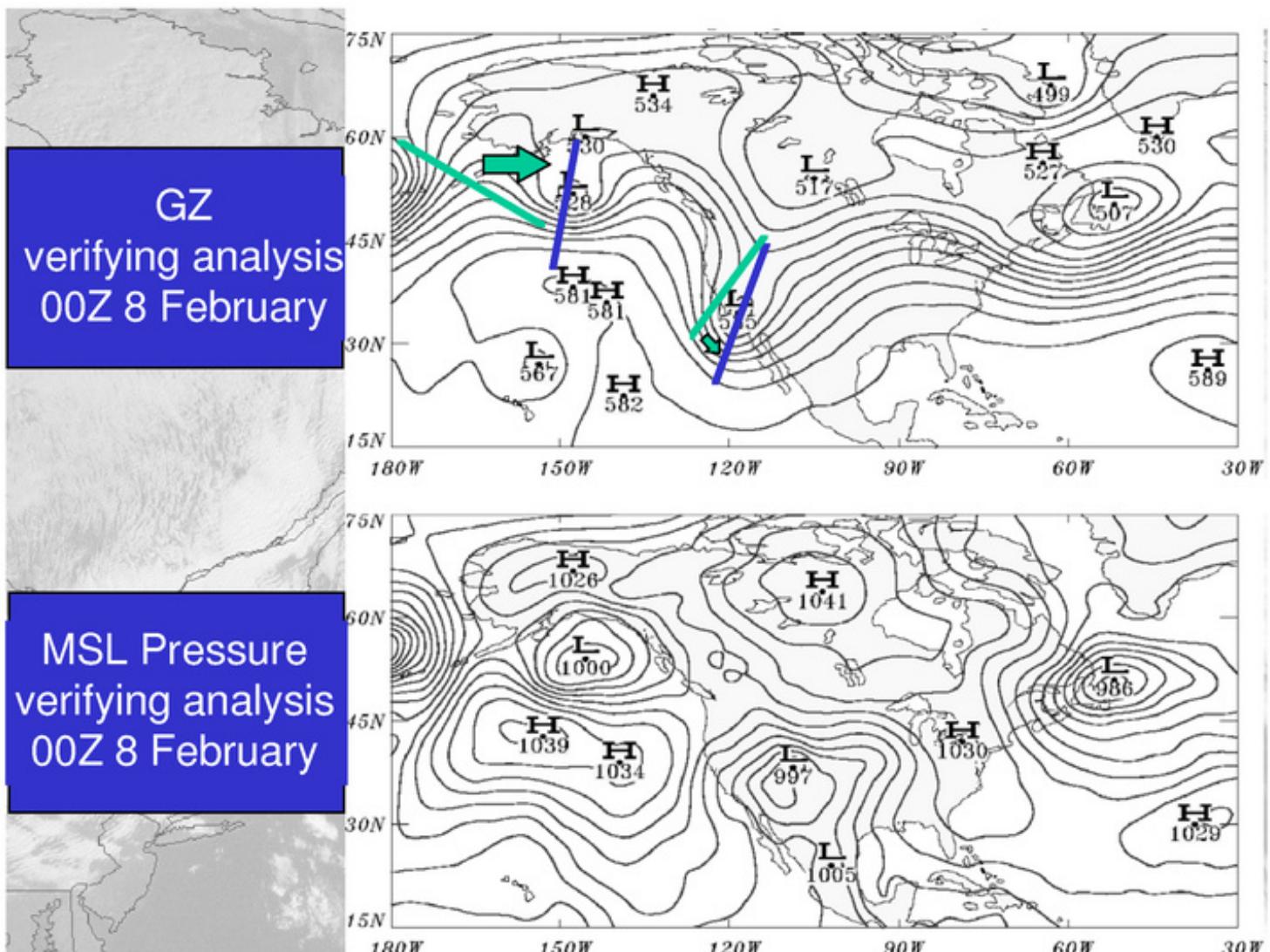
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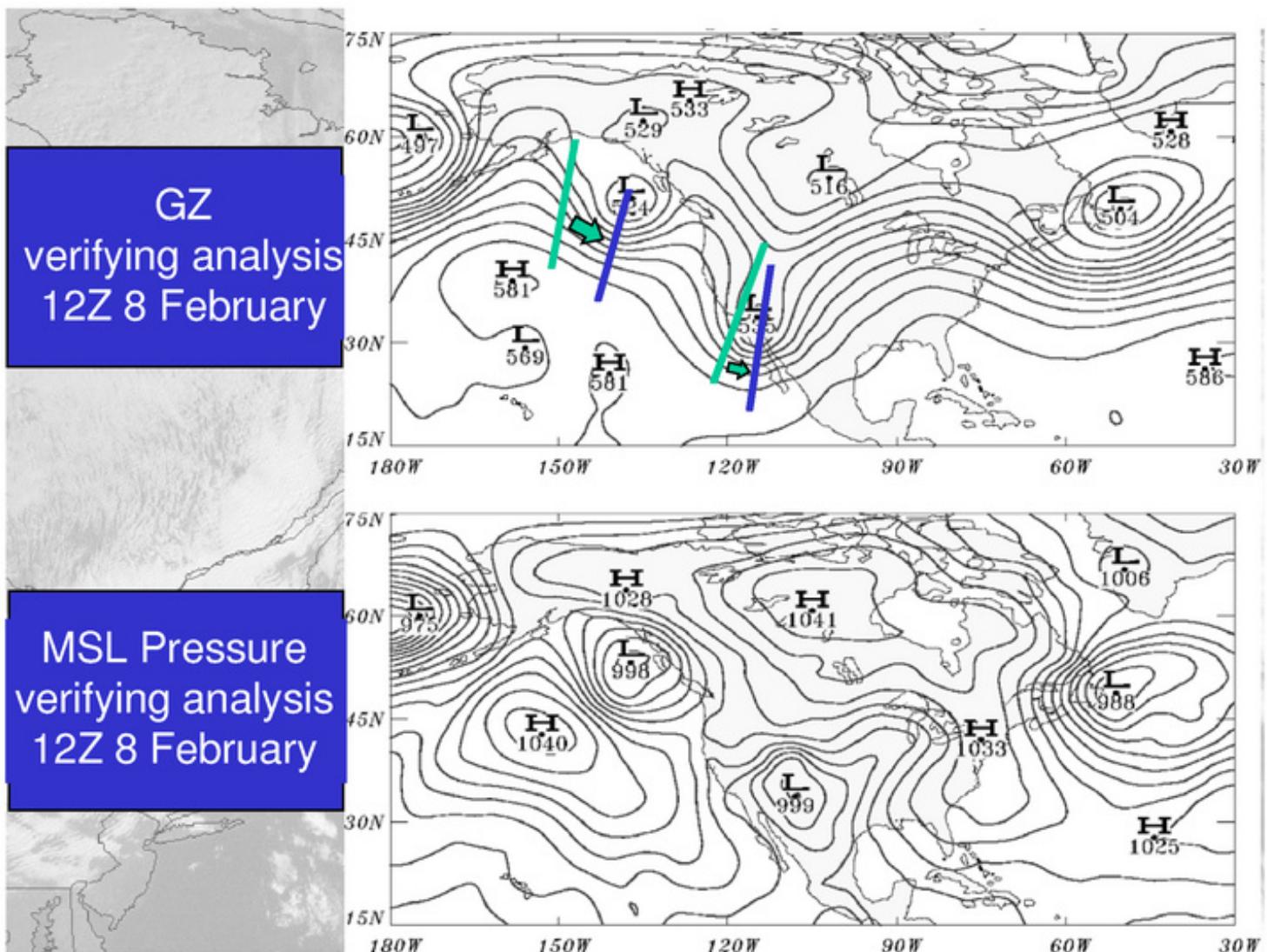
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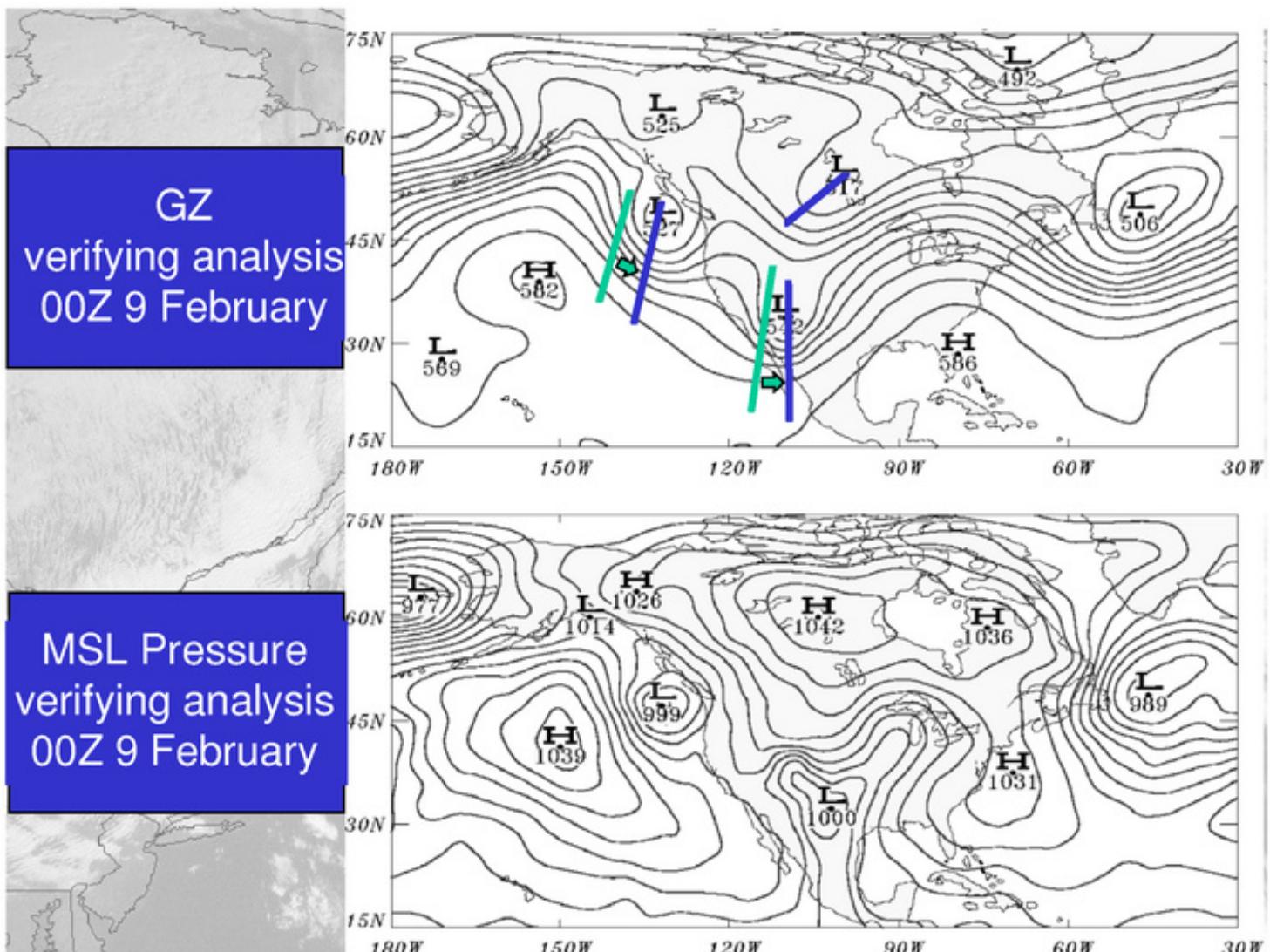
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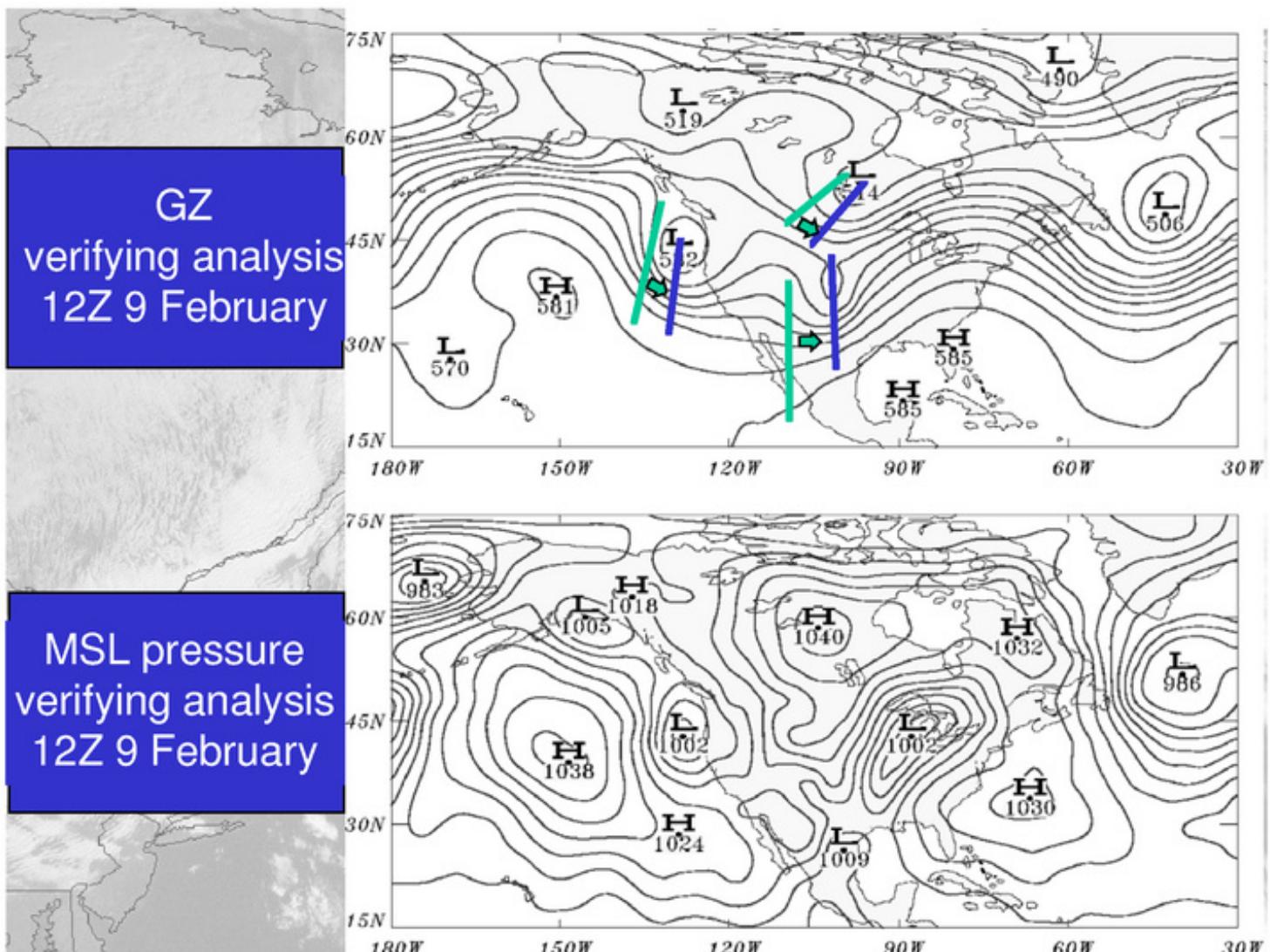
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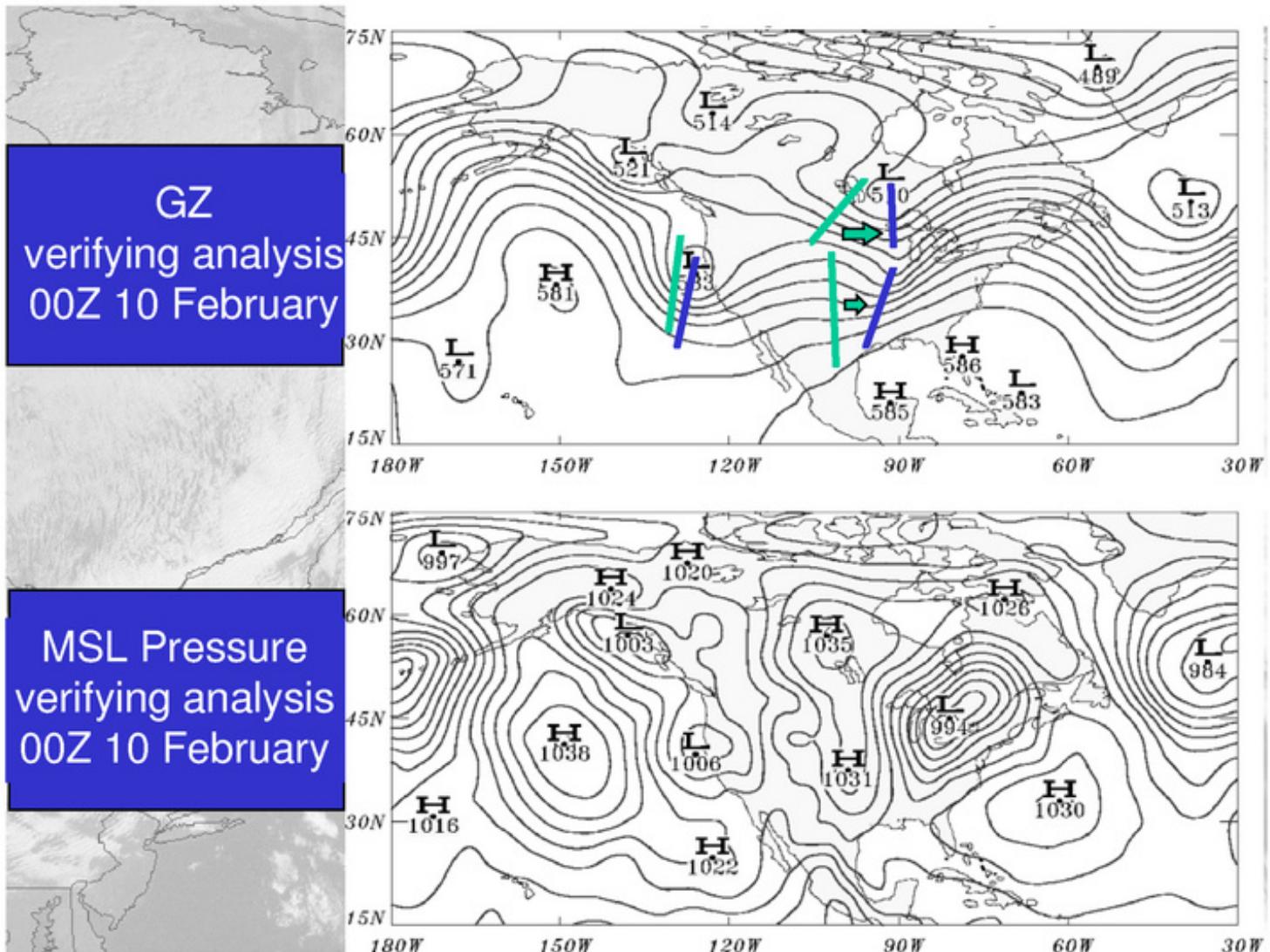
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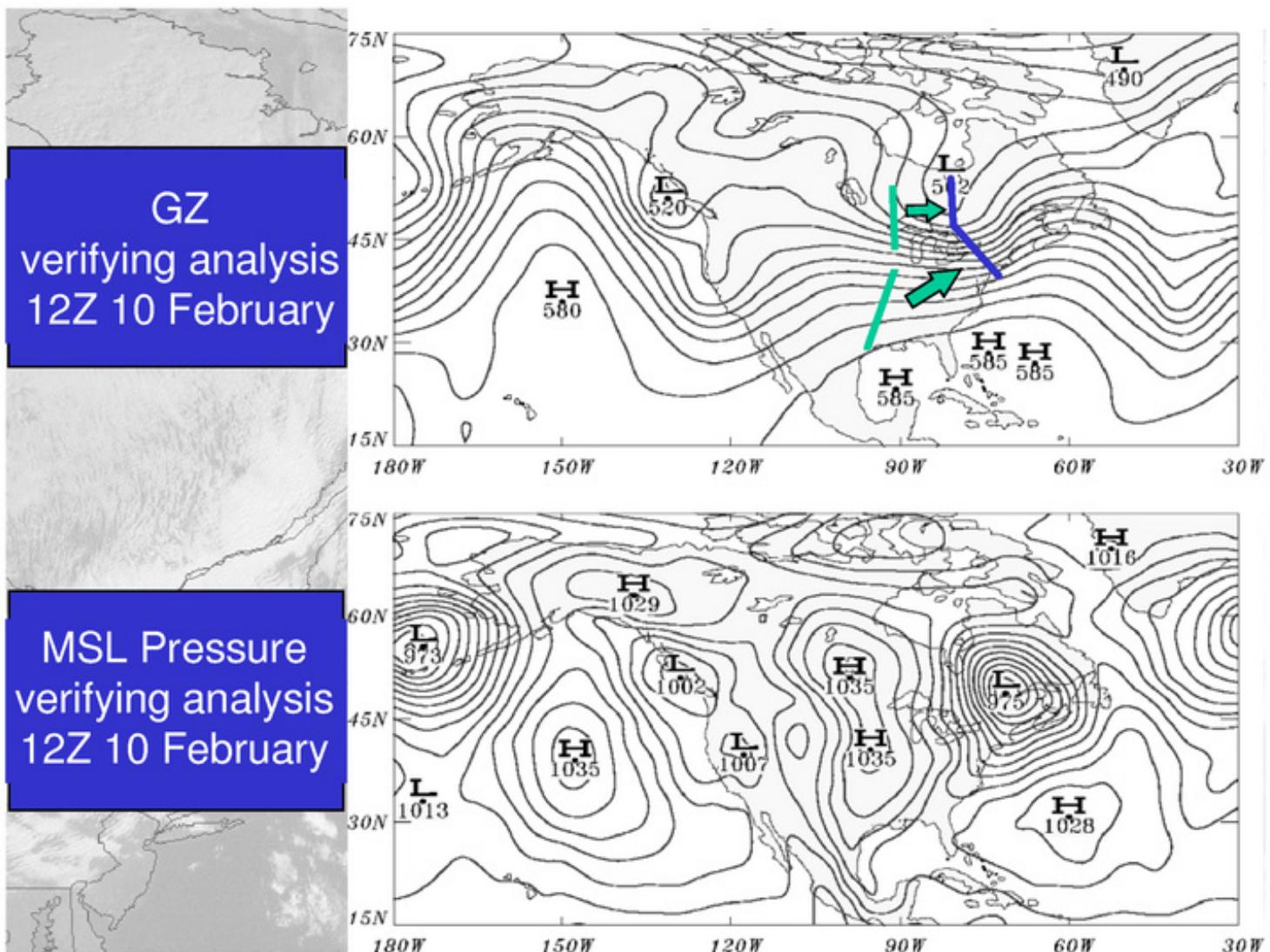
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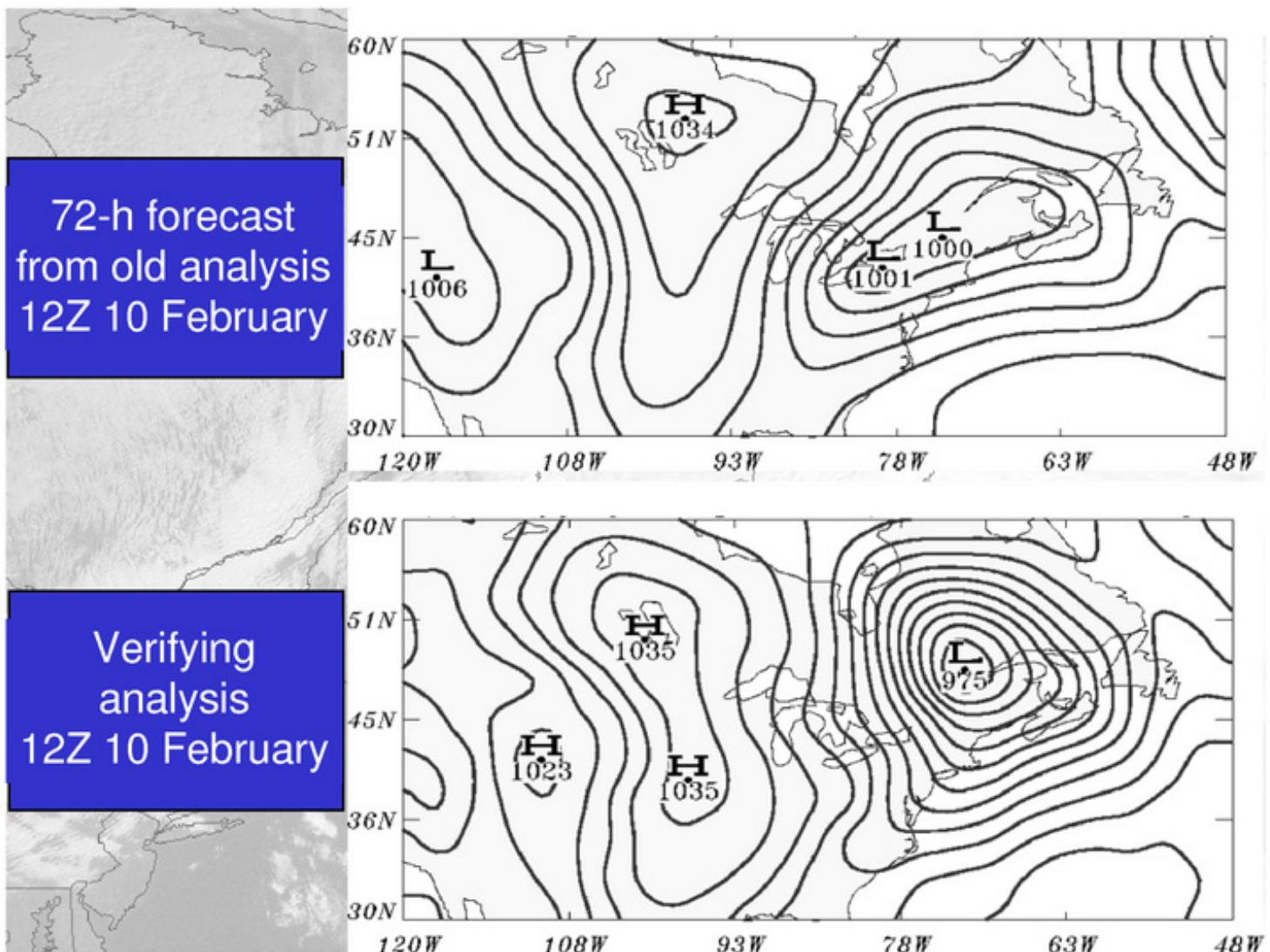
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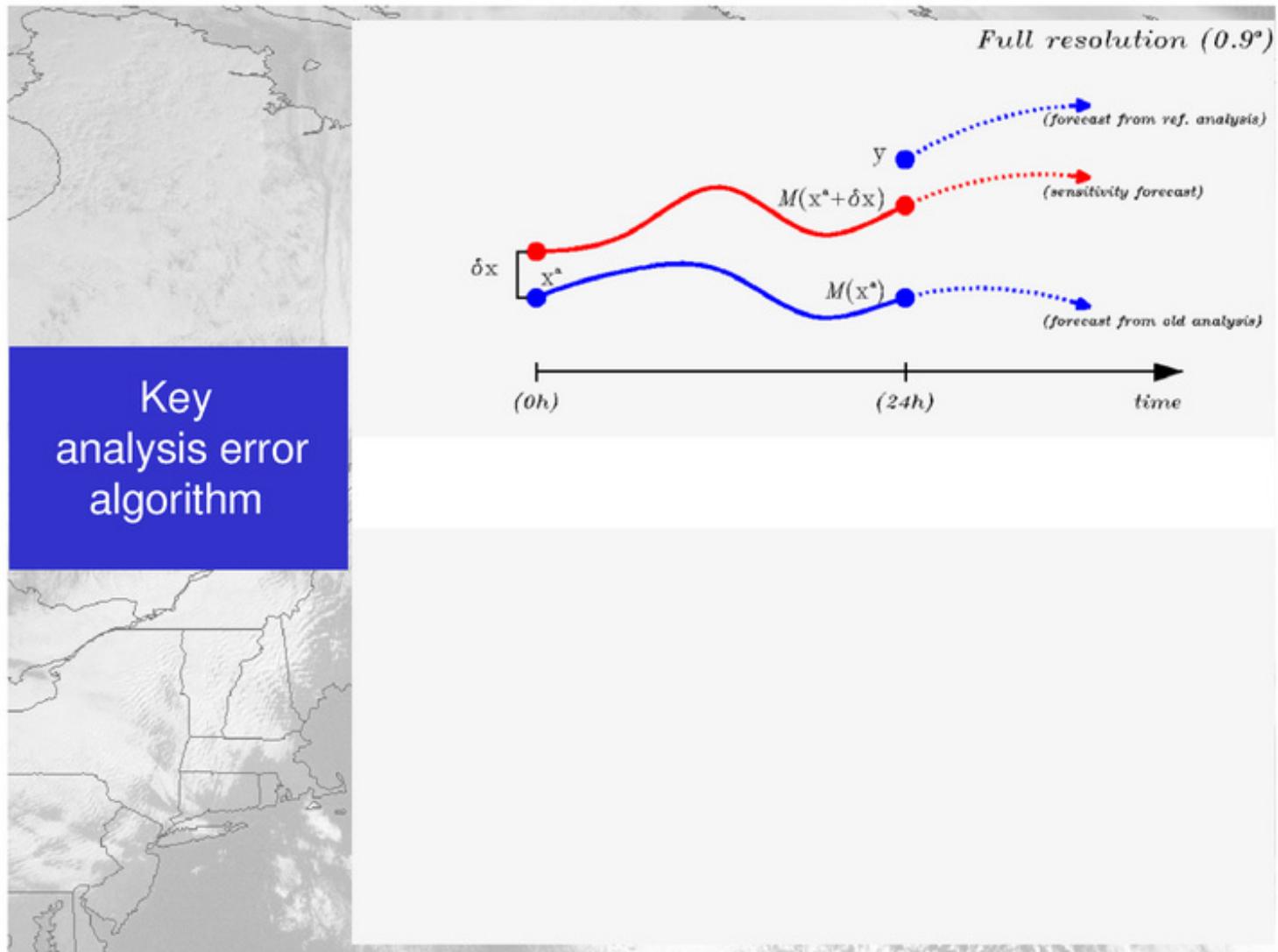
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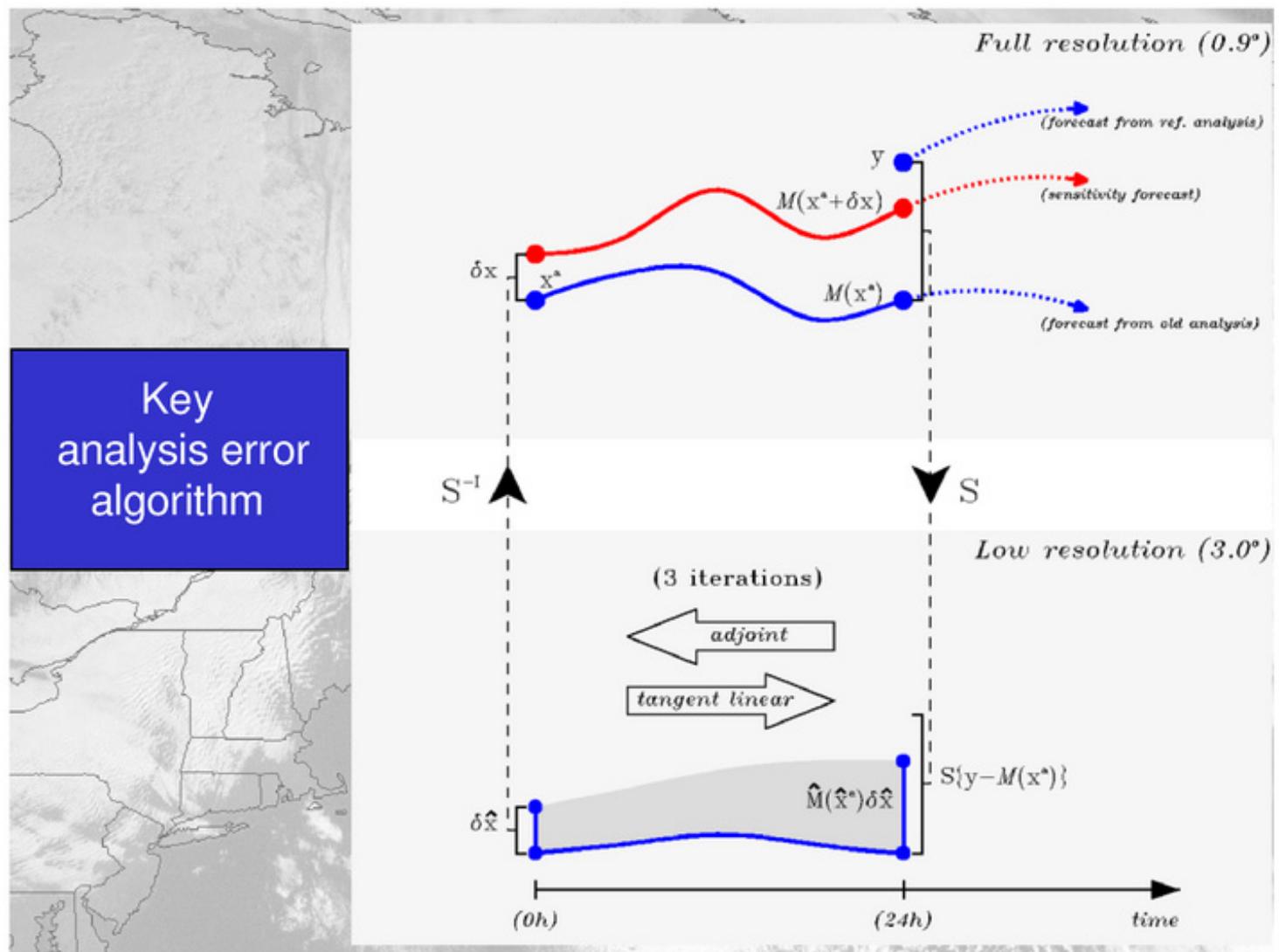
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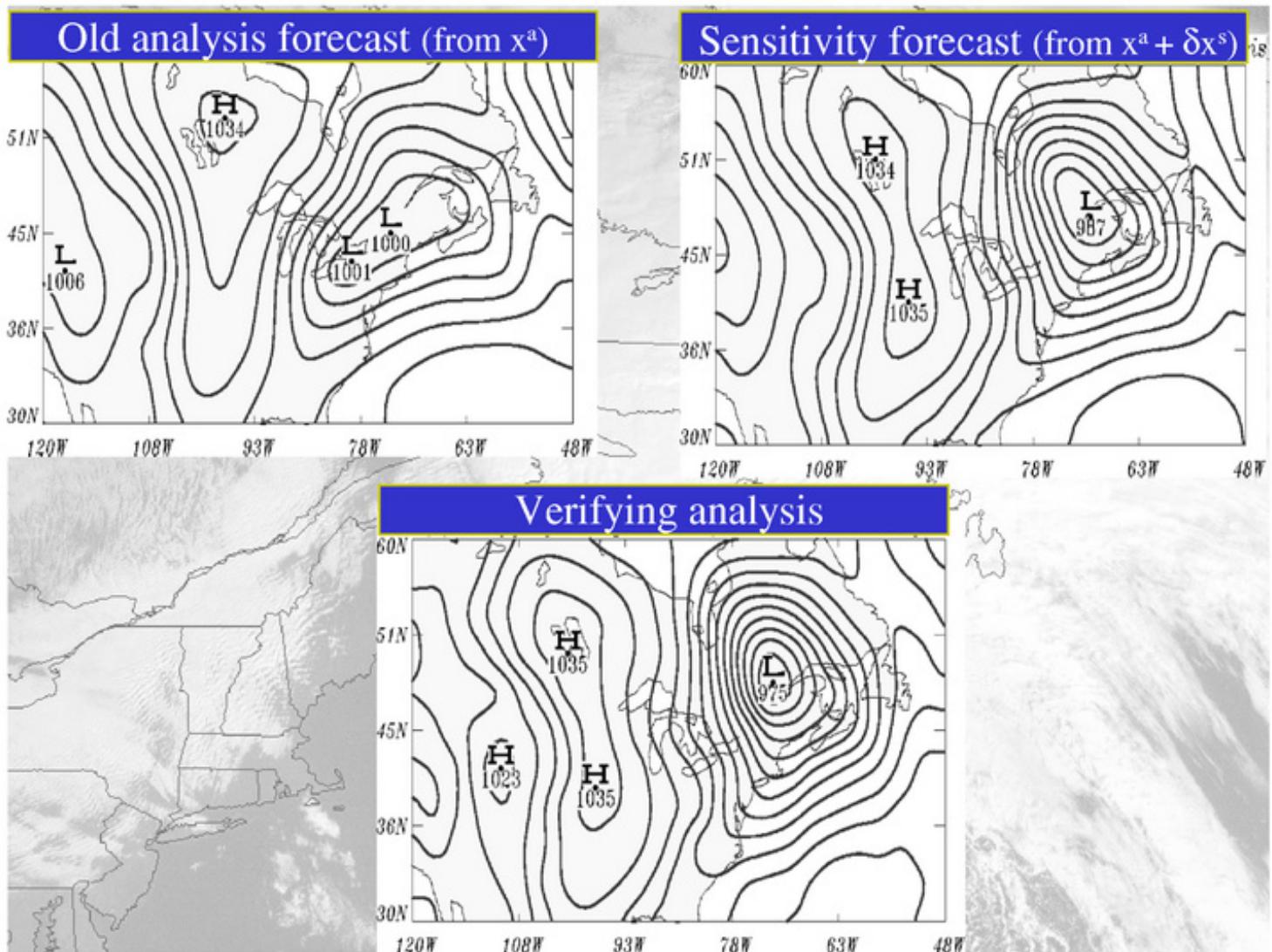
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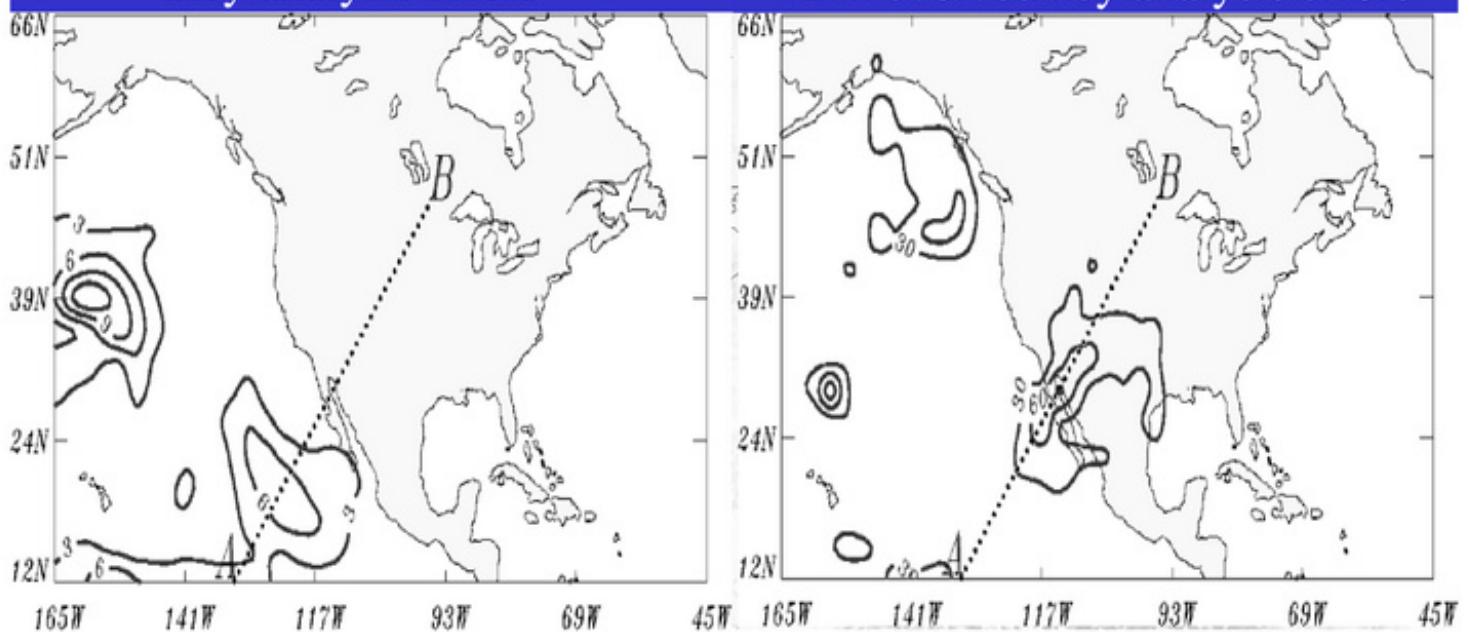
Key analysis errors

$$\delta X^s = [u', v', T', s']$$

$$E = \frac{1}{2(p_b - p_t)} \int_{p_t}^{p_b} \left[u'^2 + v'^2 + \frac{c_p}{T_r} T'^2 \right] dp$$

Key analysis errors

24h evolved key analysis errors



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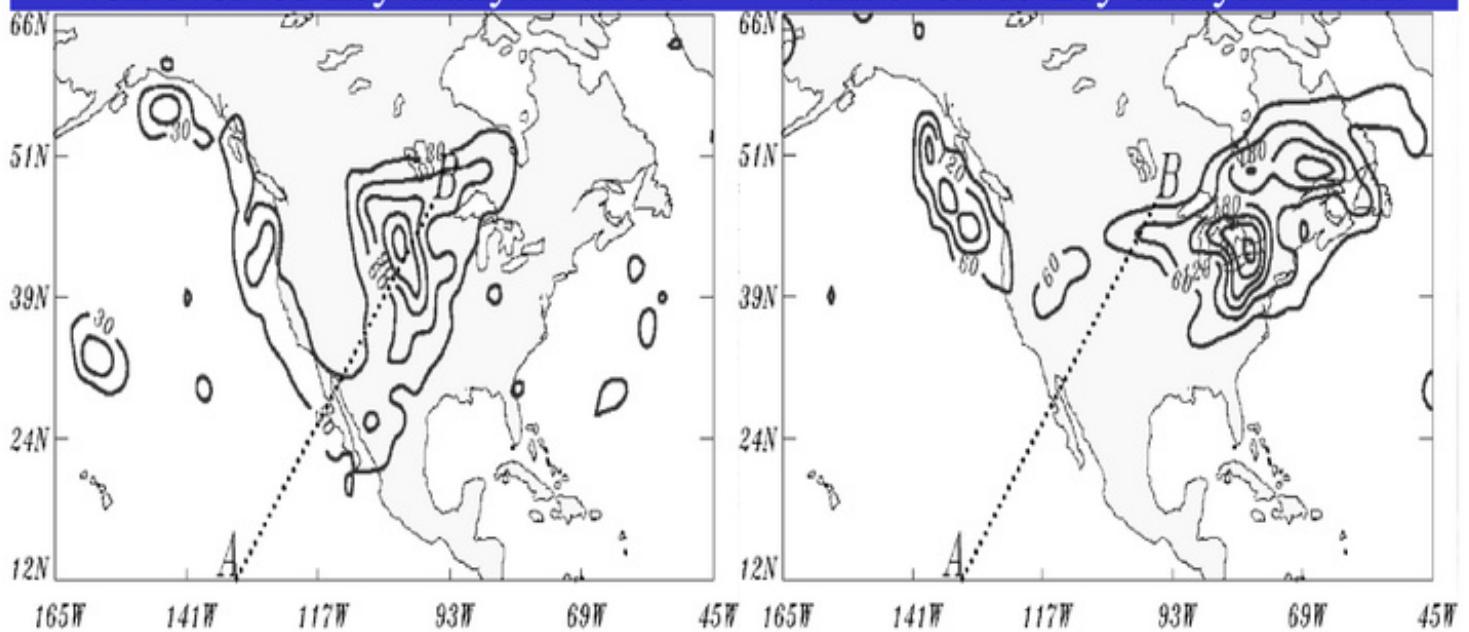
Key analysis errors

$$\delta X^s = [u', v', T', s']$$

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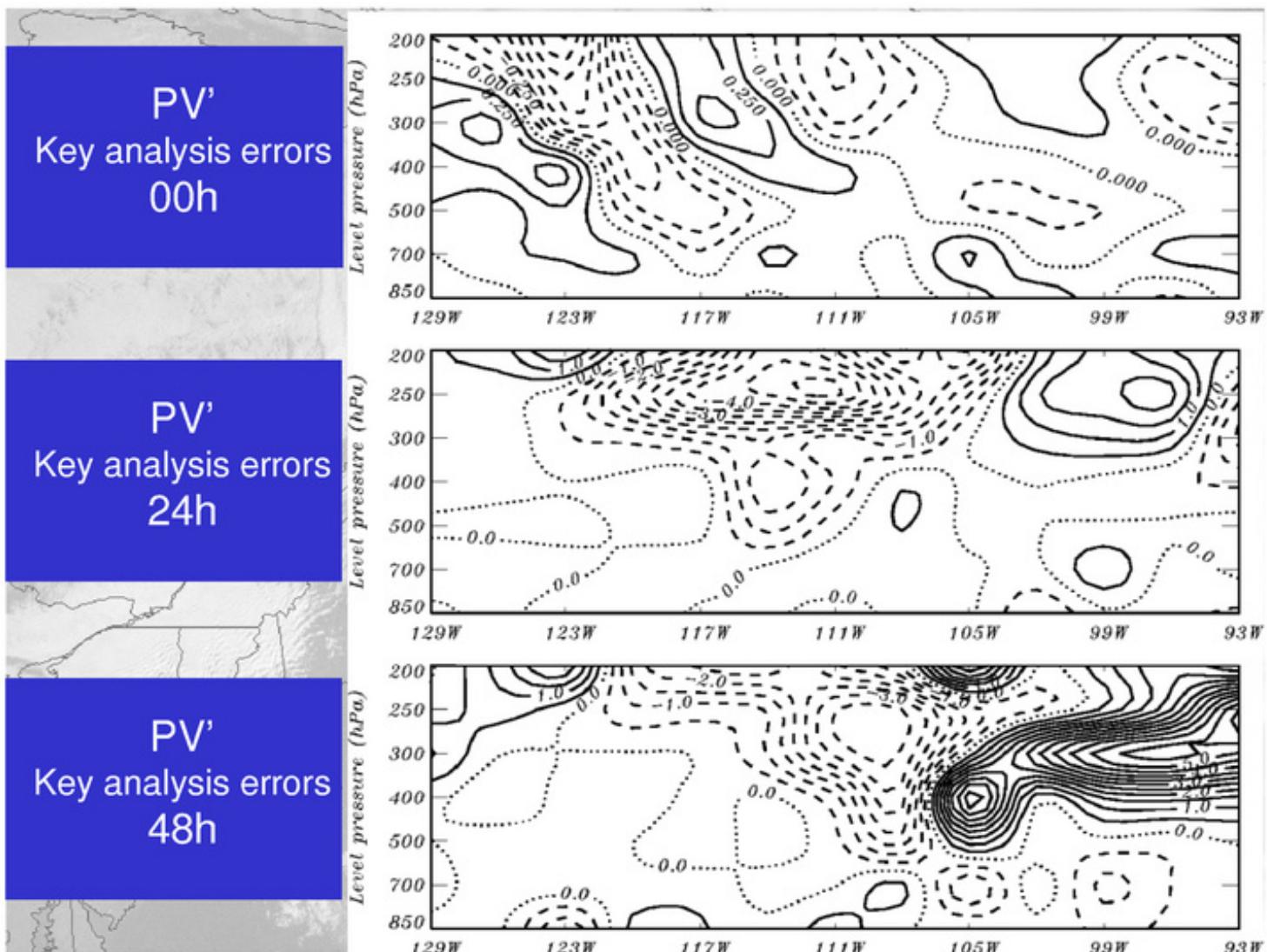
48h evolved key analysis errors

72h evolved key analysis errors



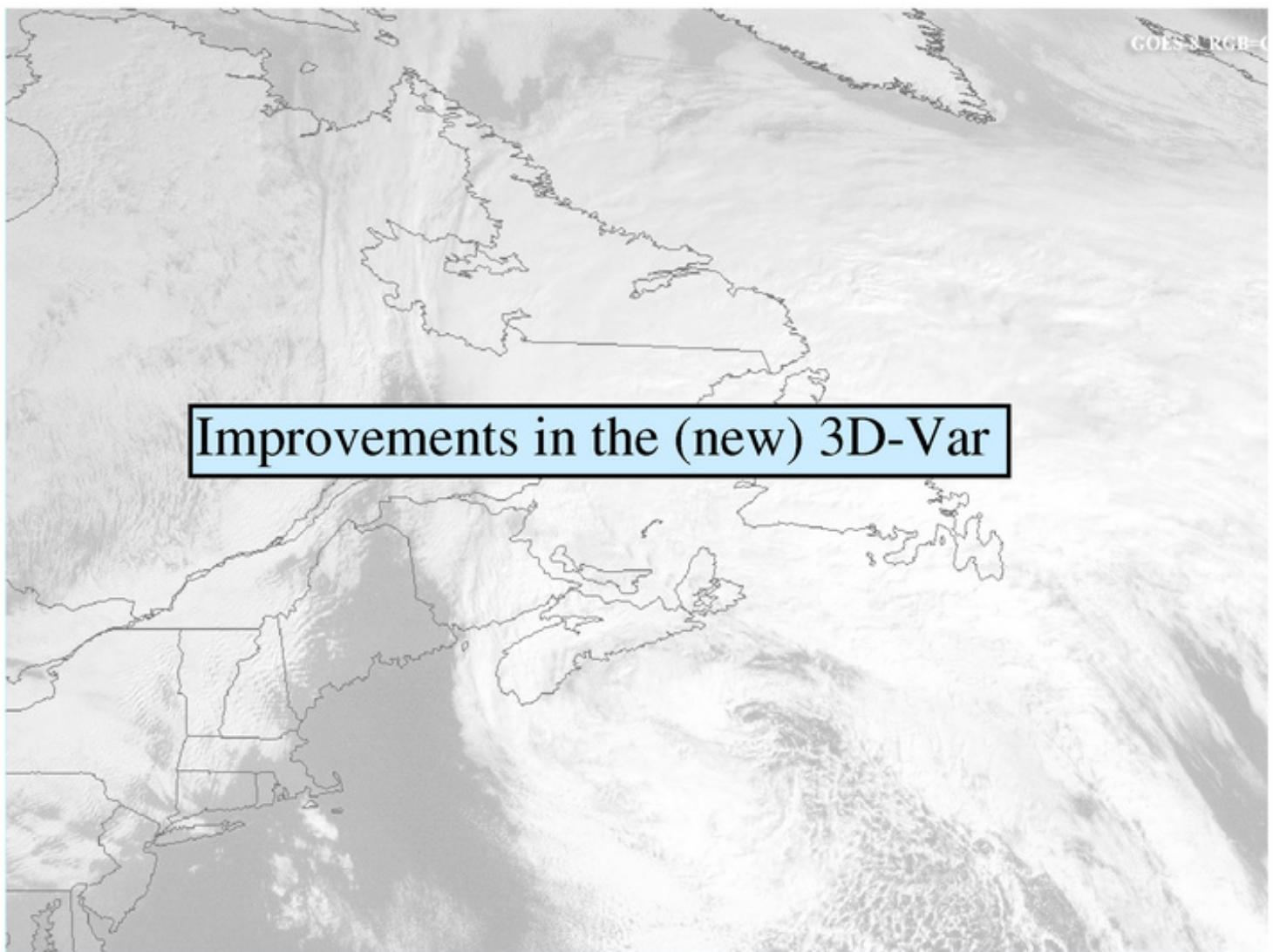
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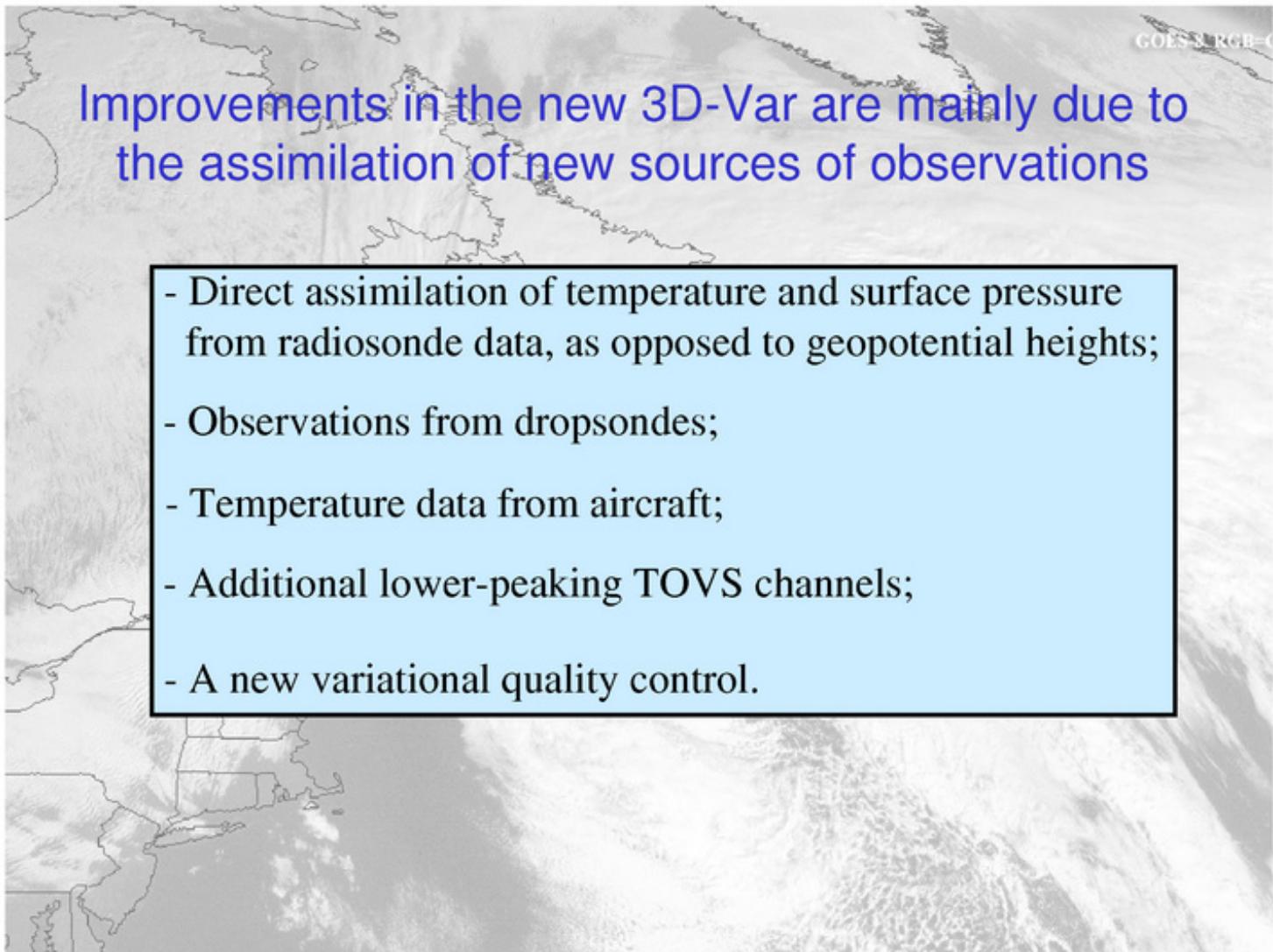
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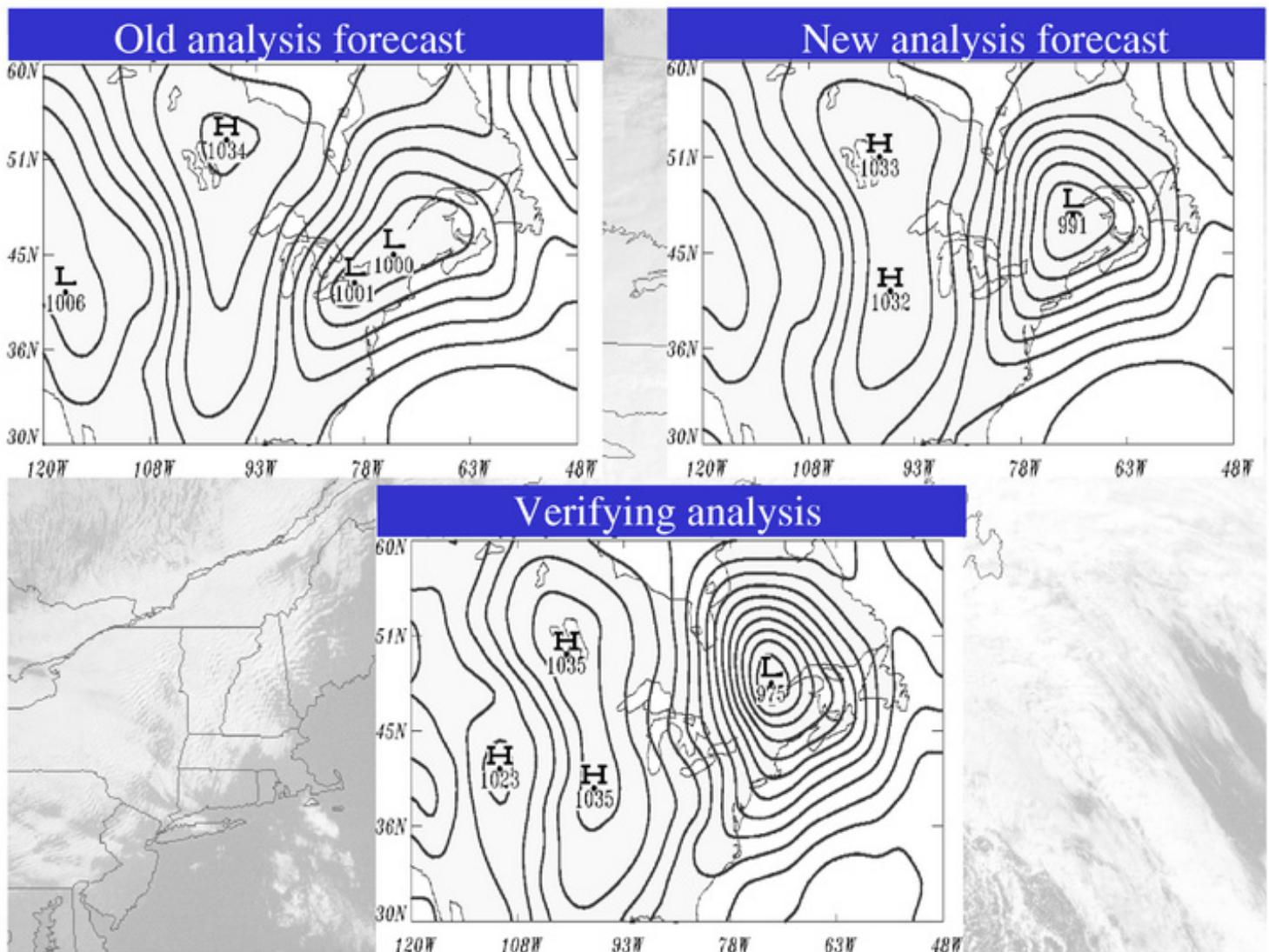
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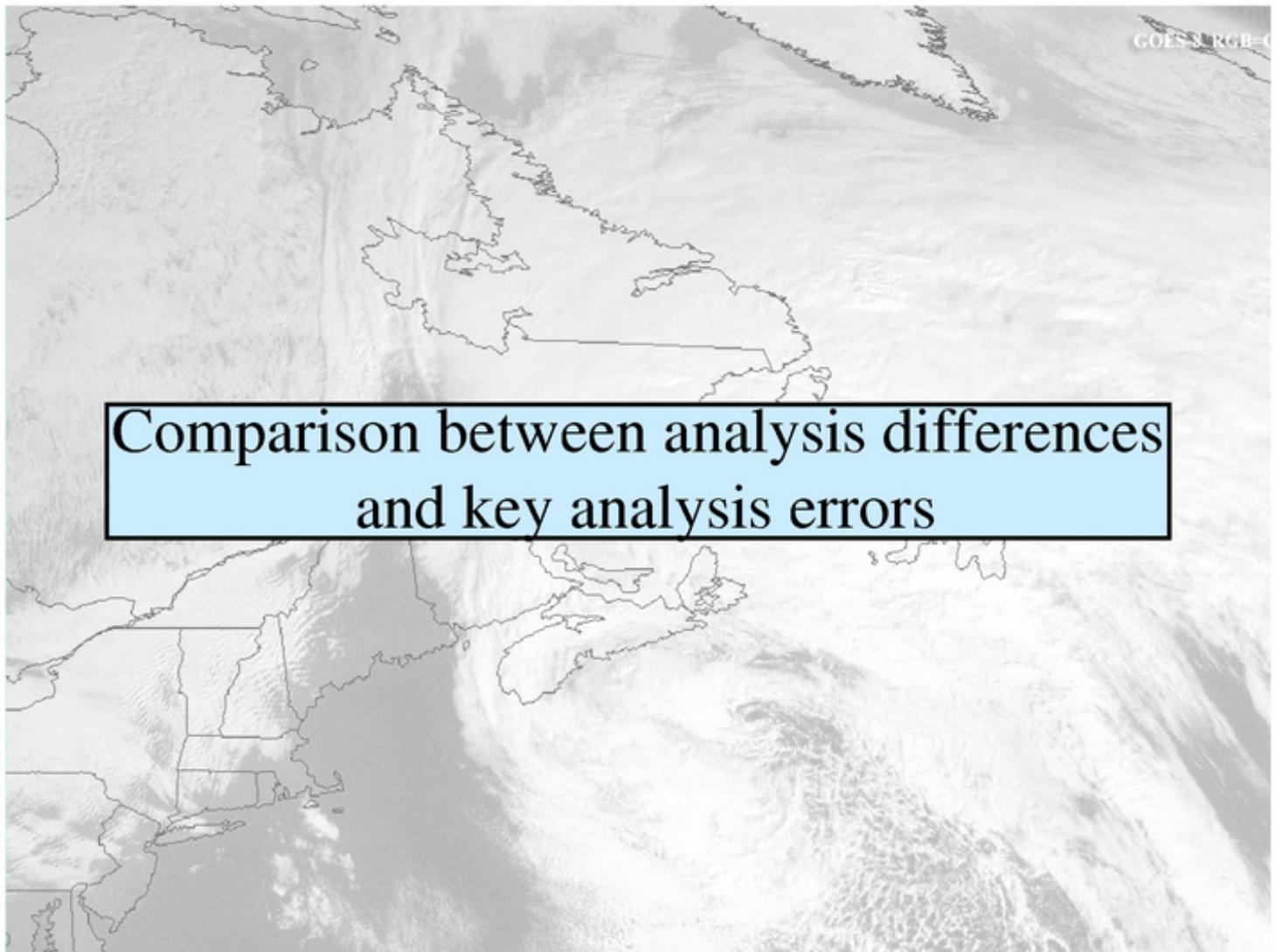
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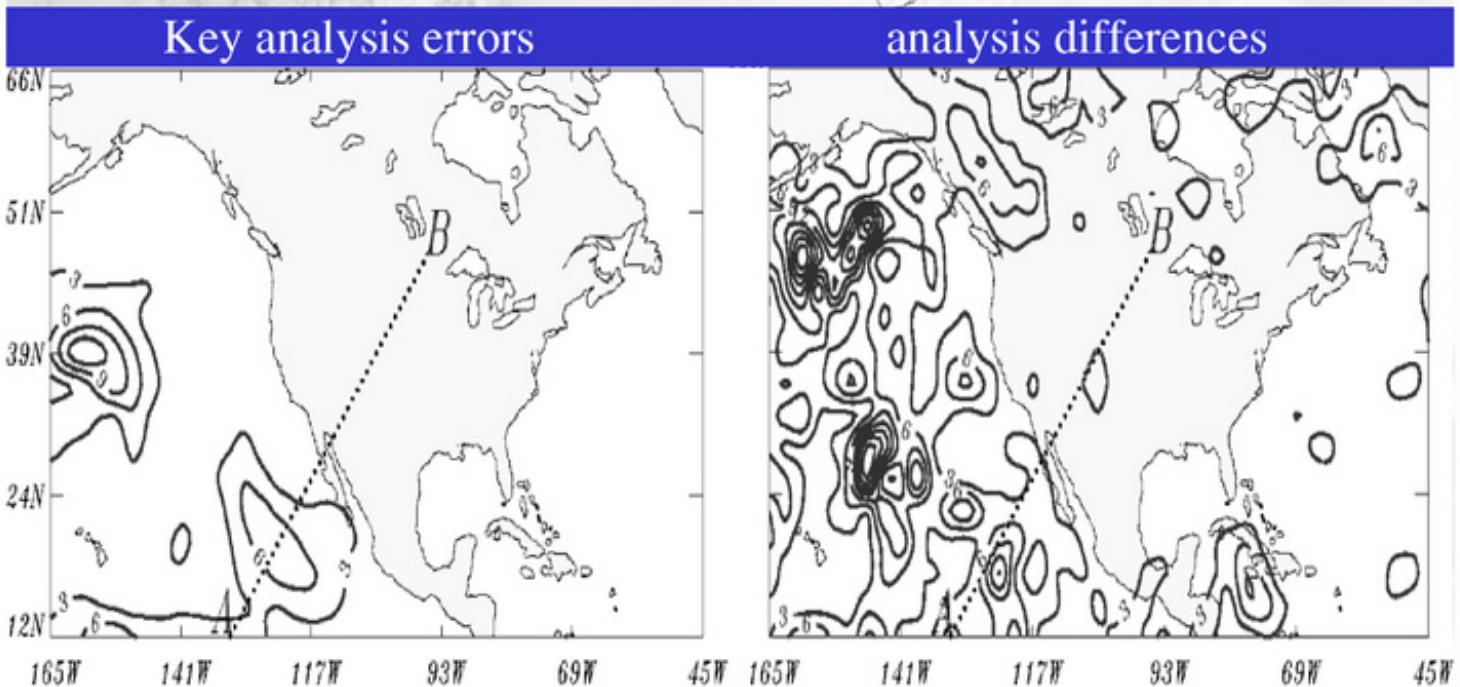
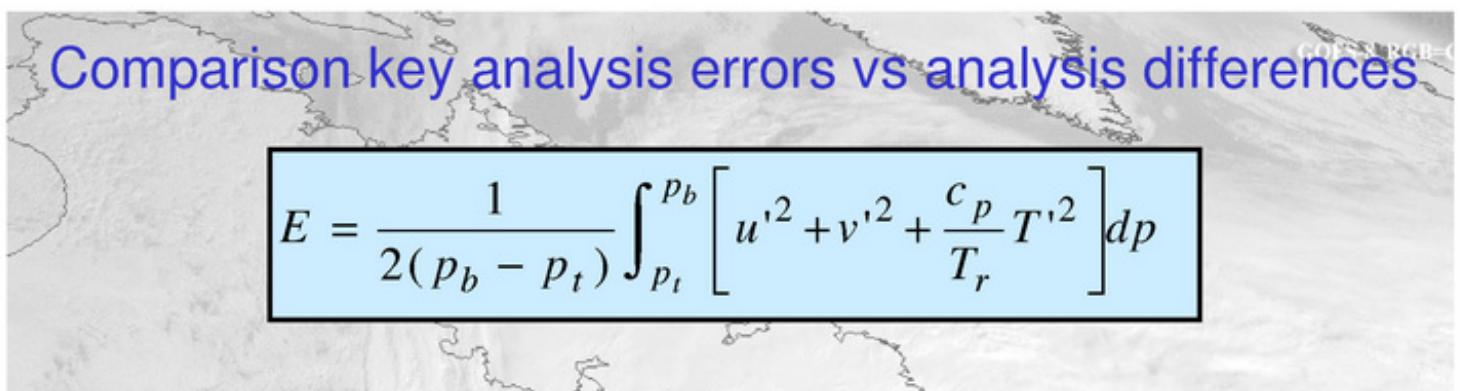
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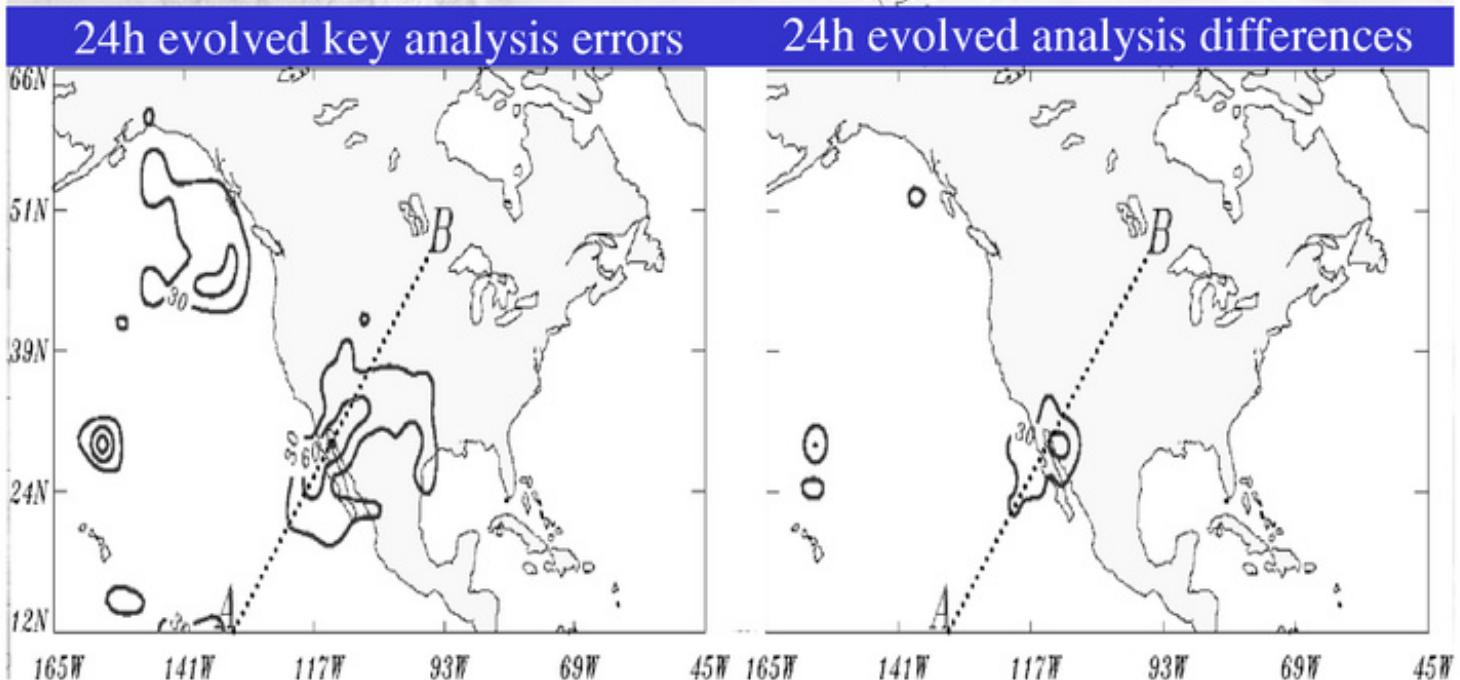
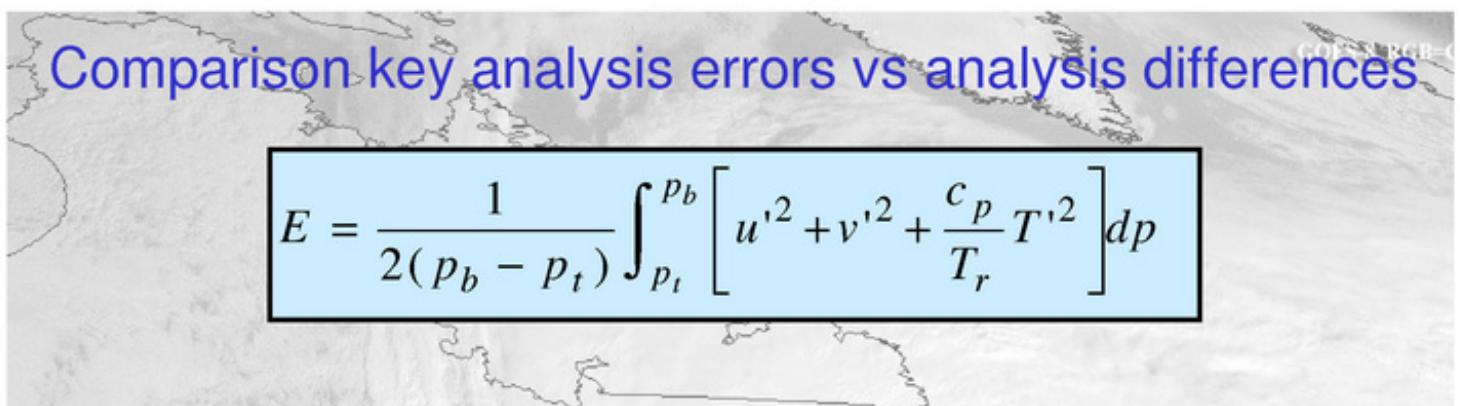
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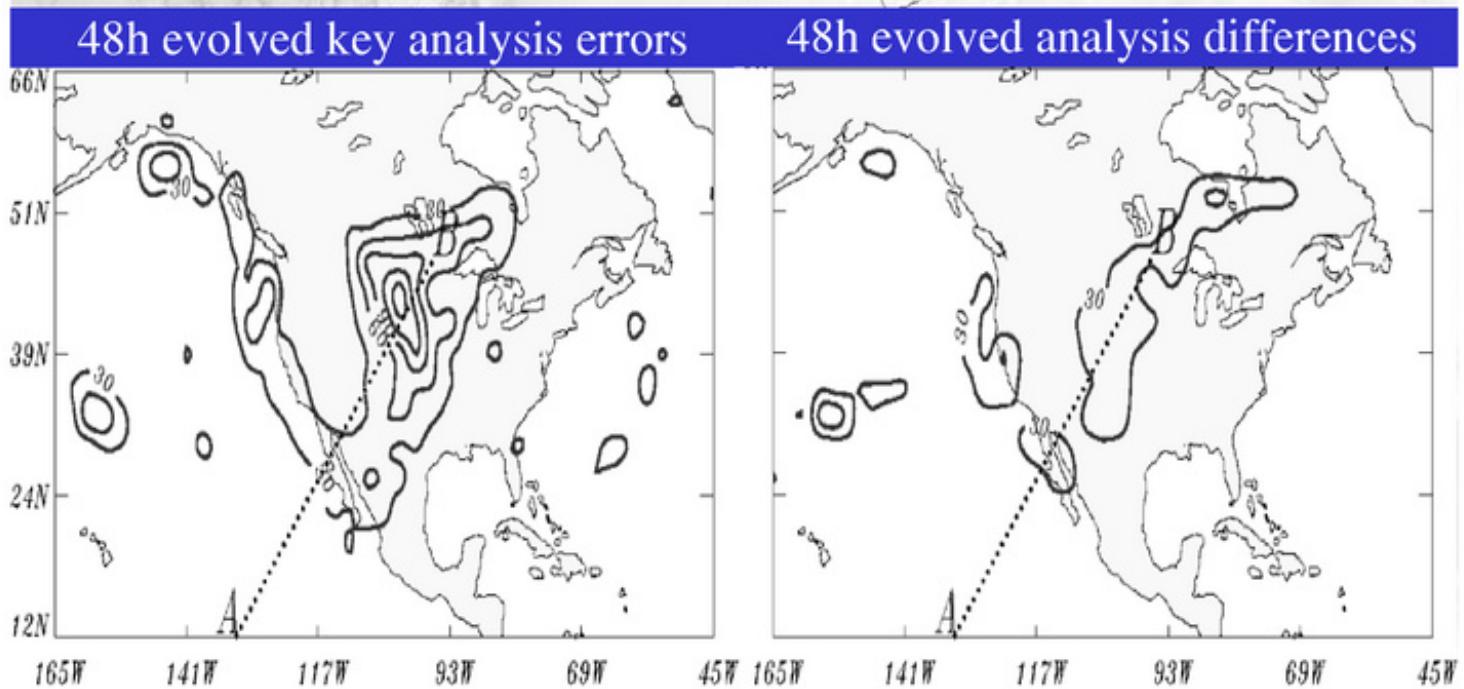
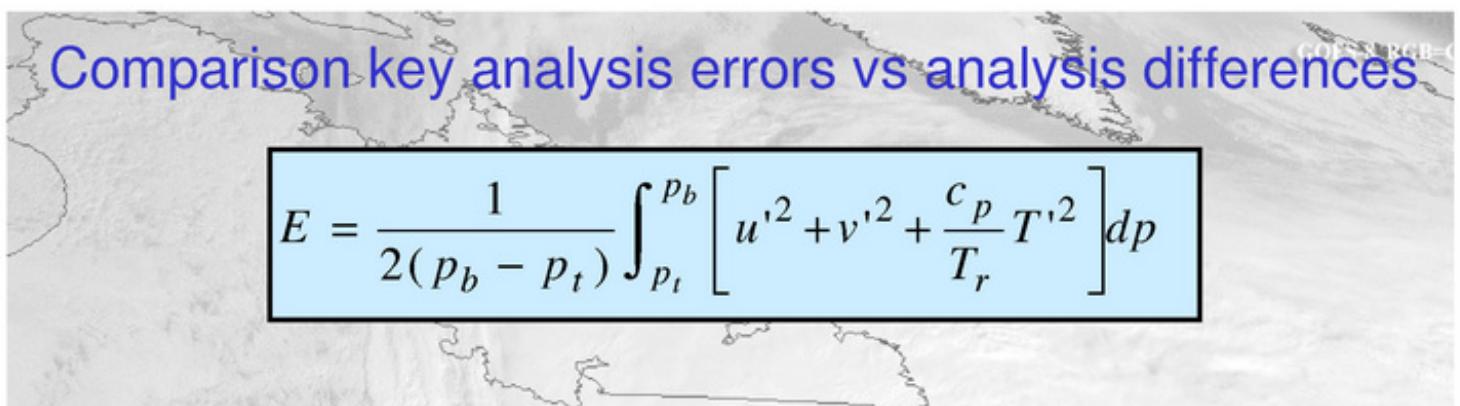


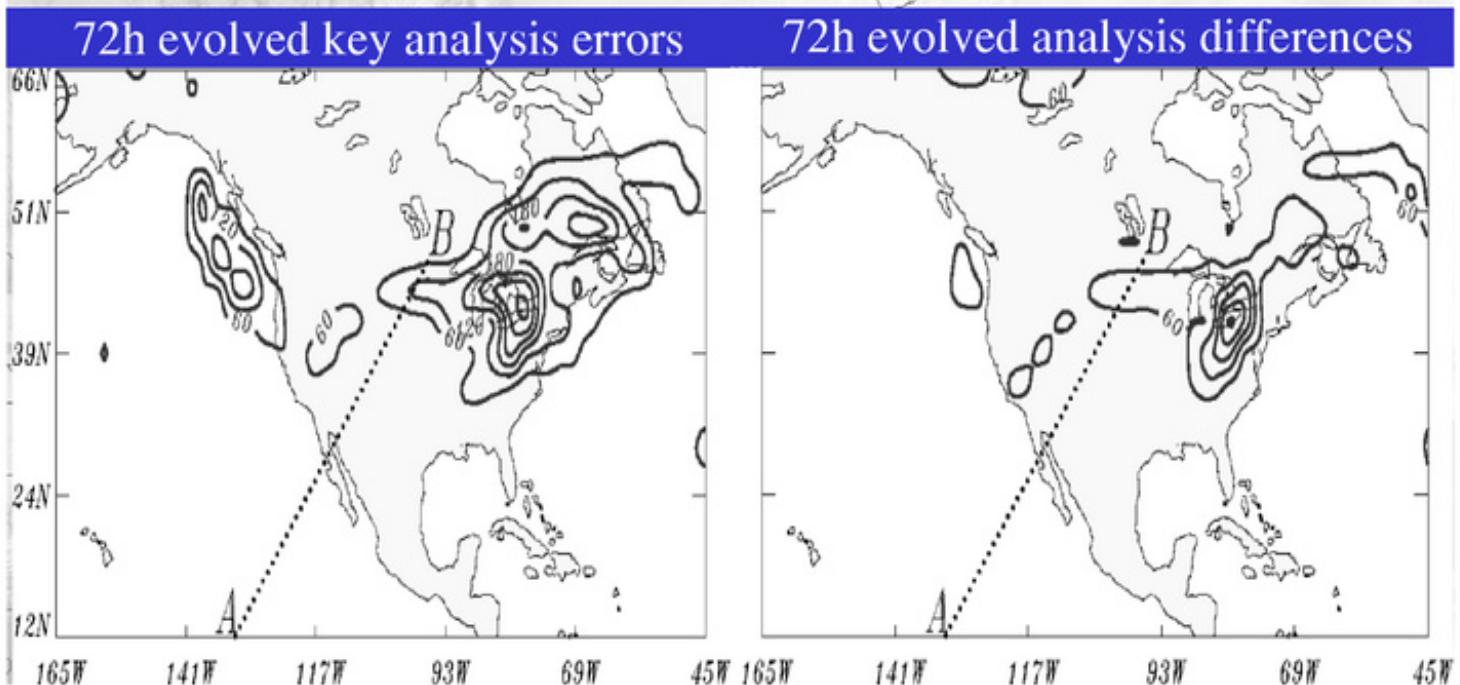
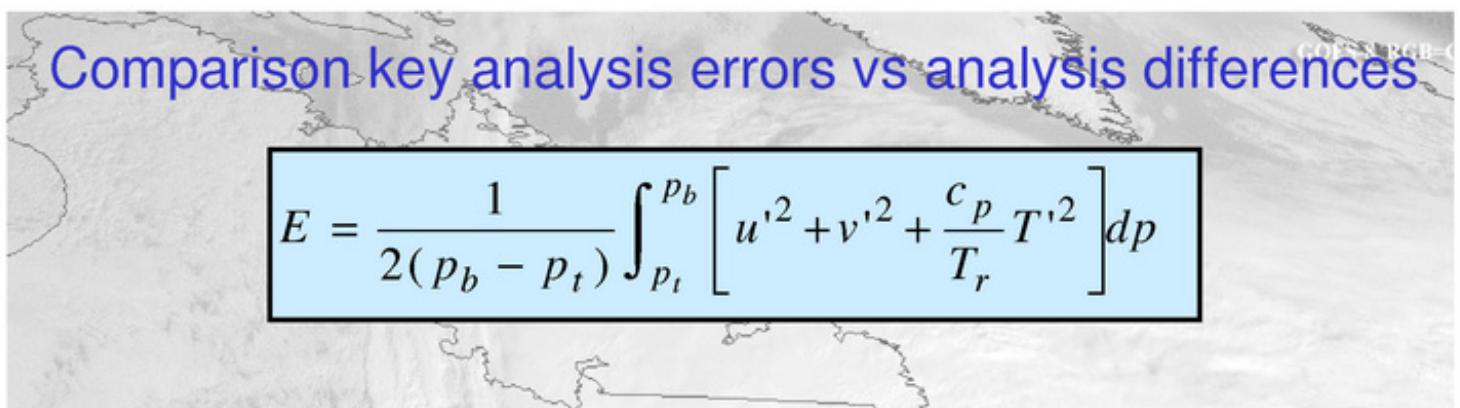
Comparison between analysis differences and key analysis errors

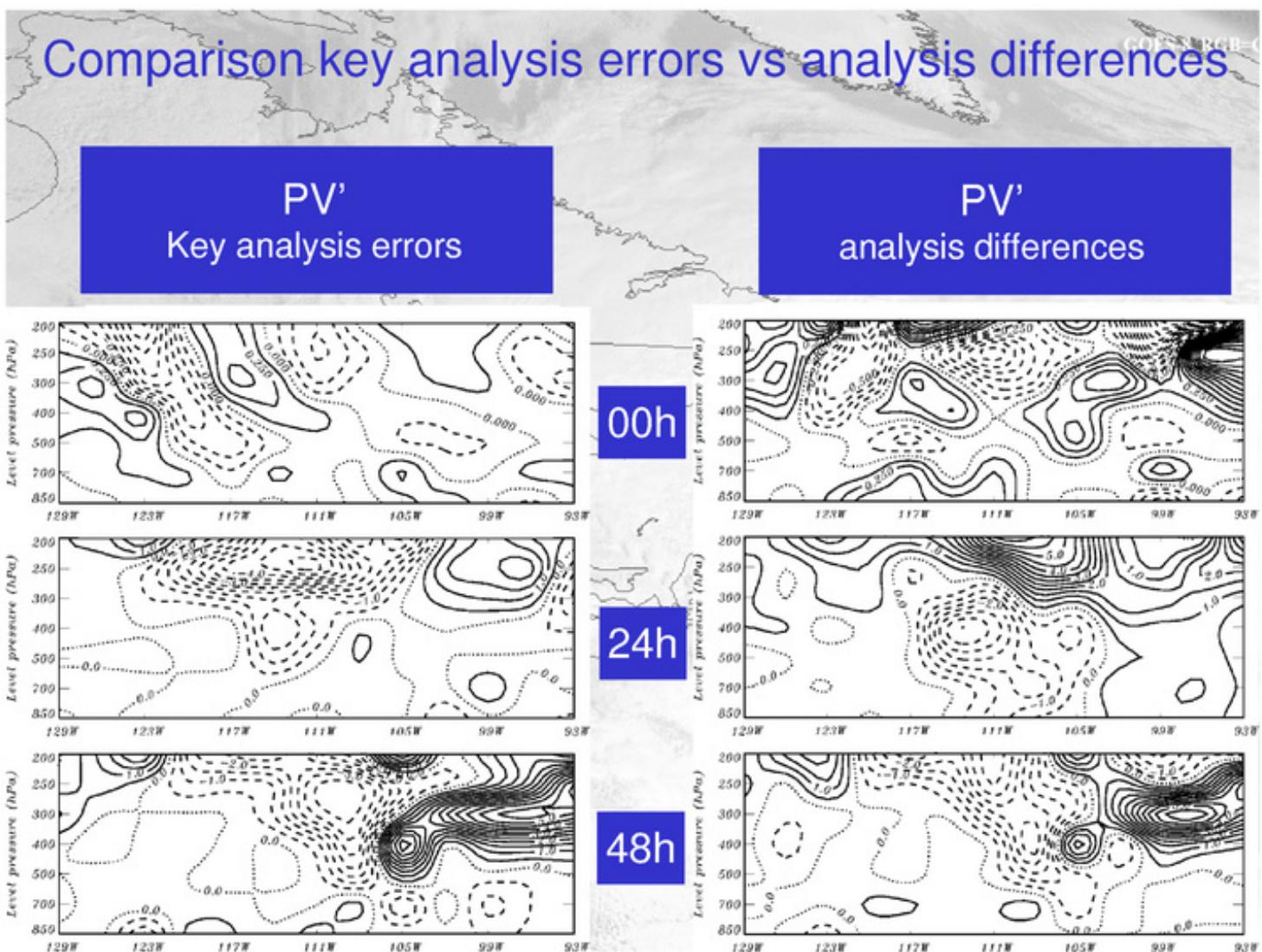
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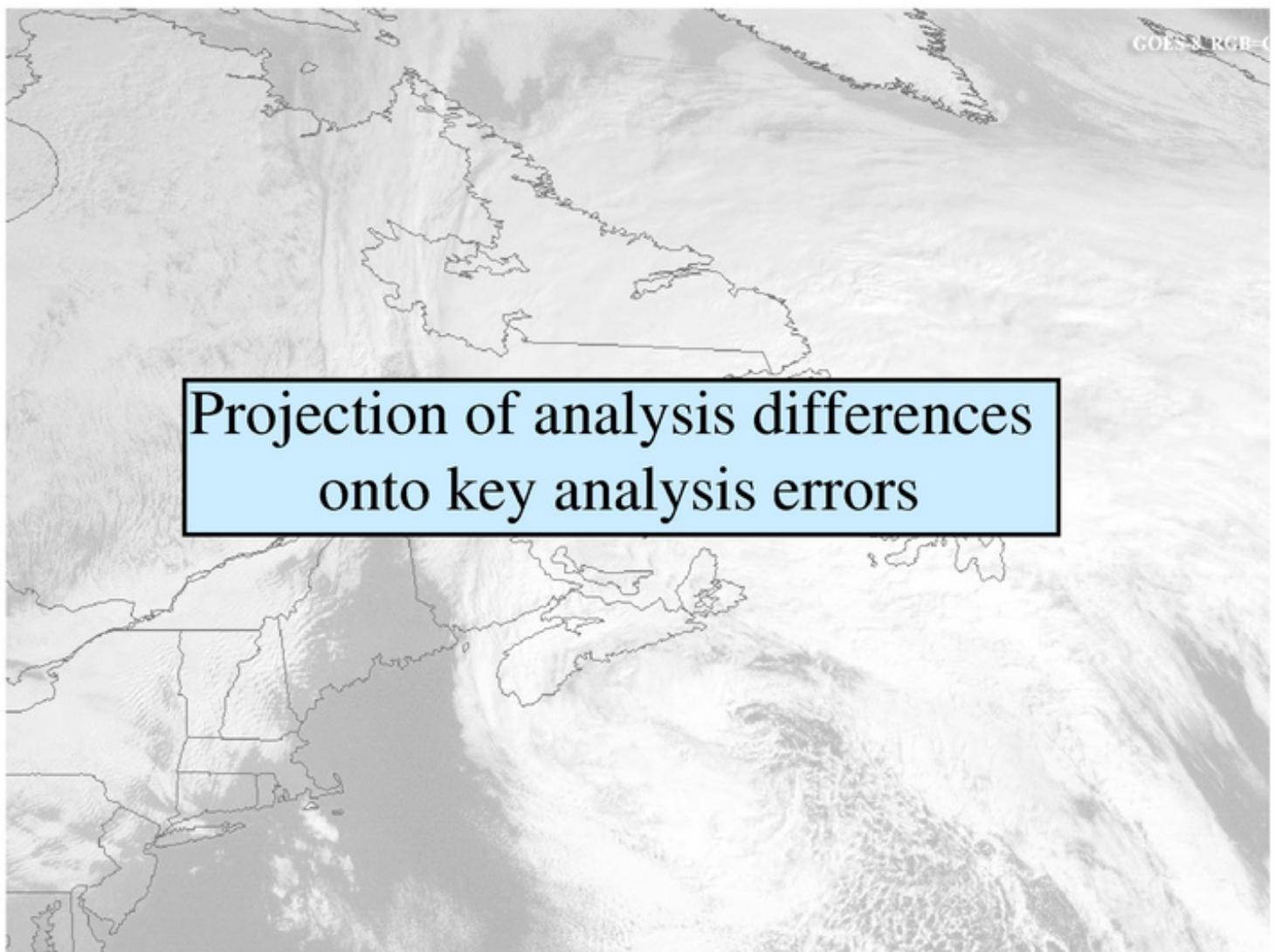
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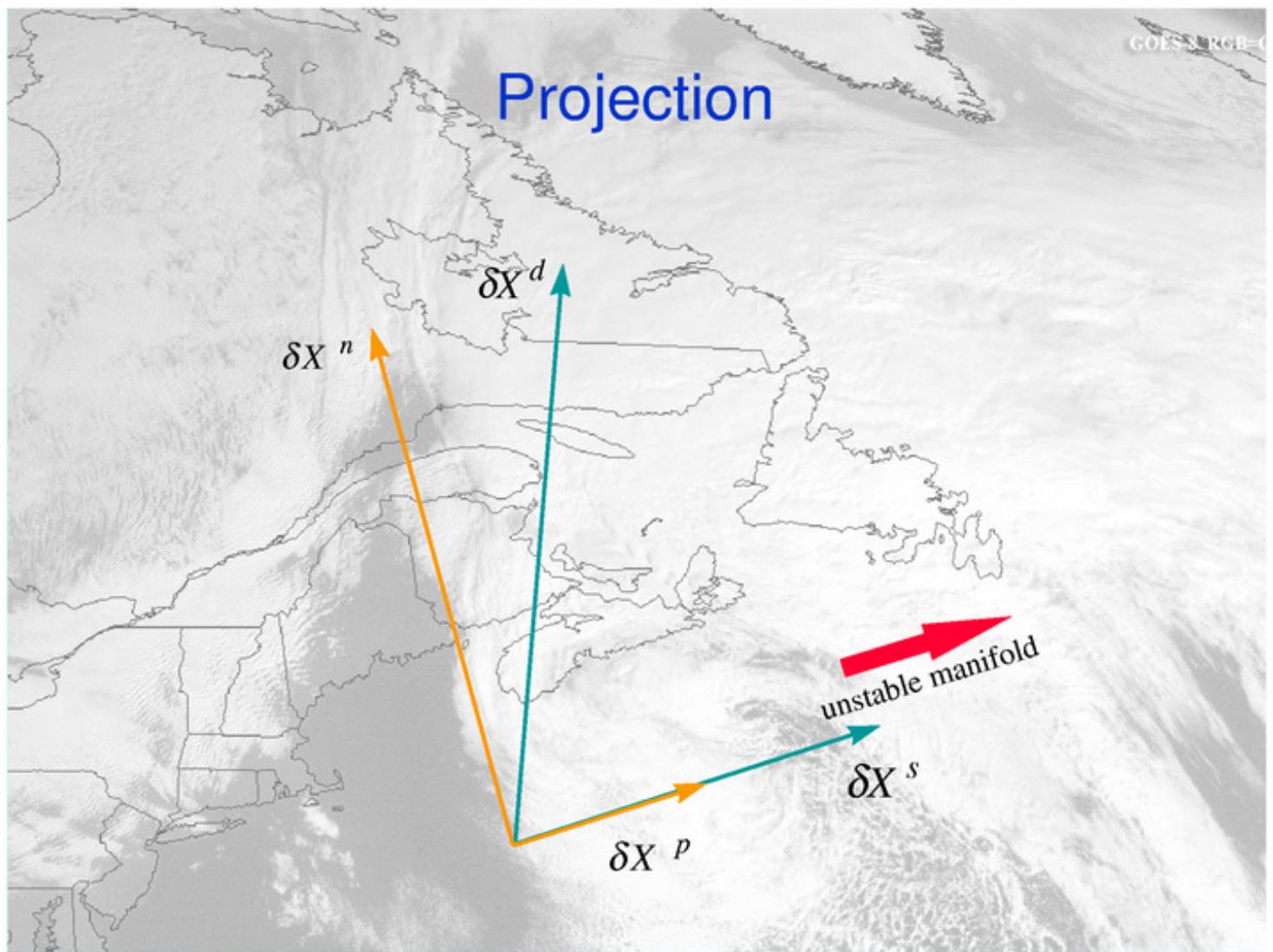
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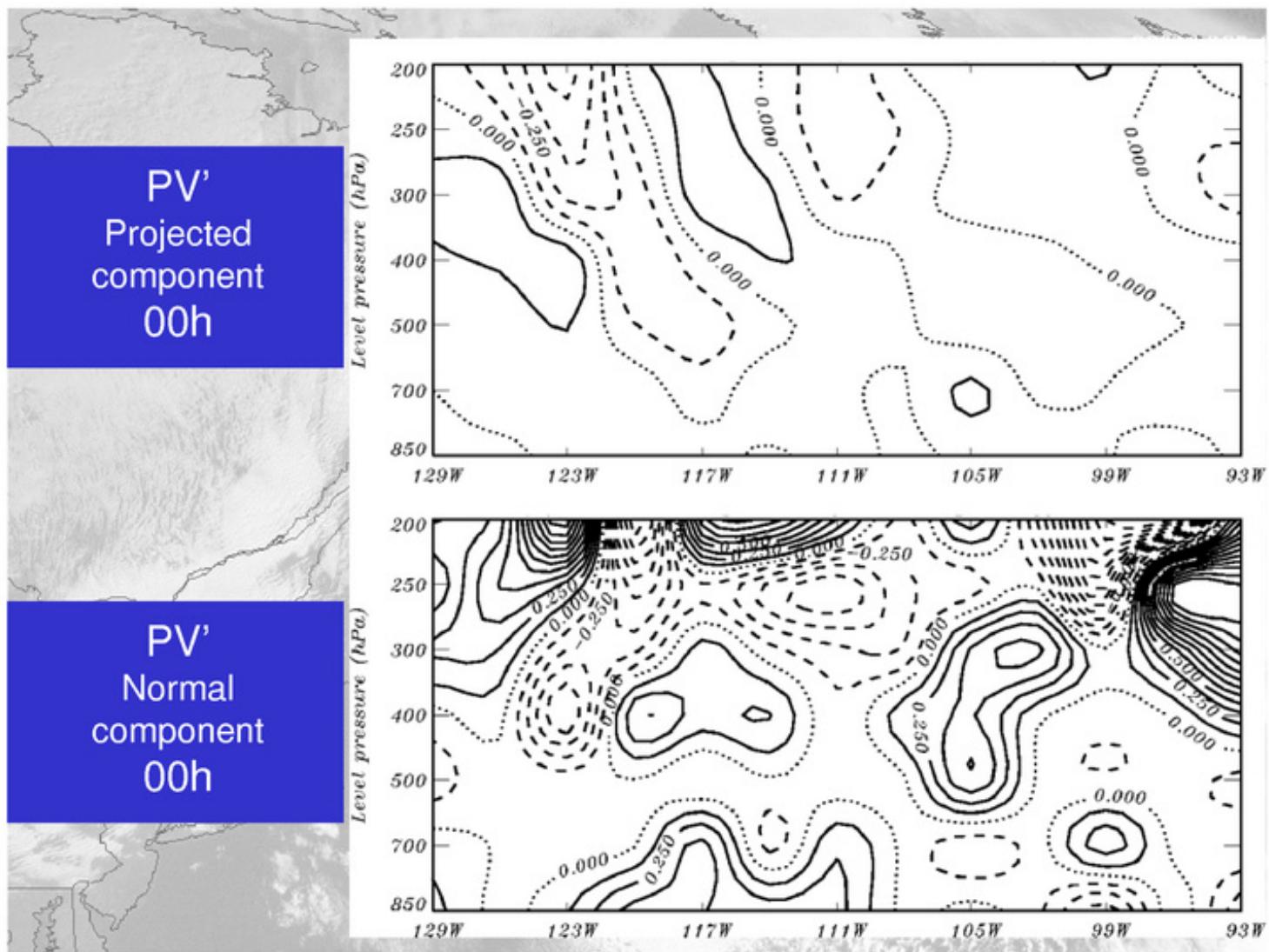


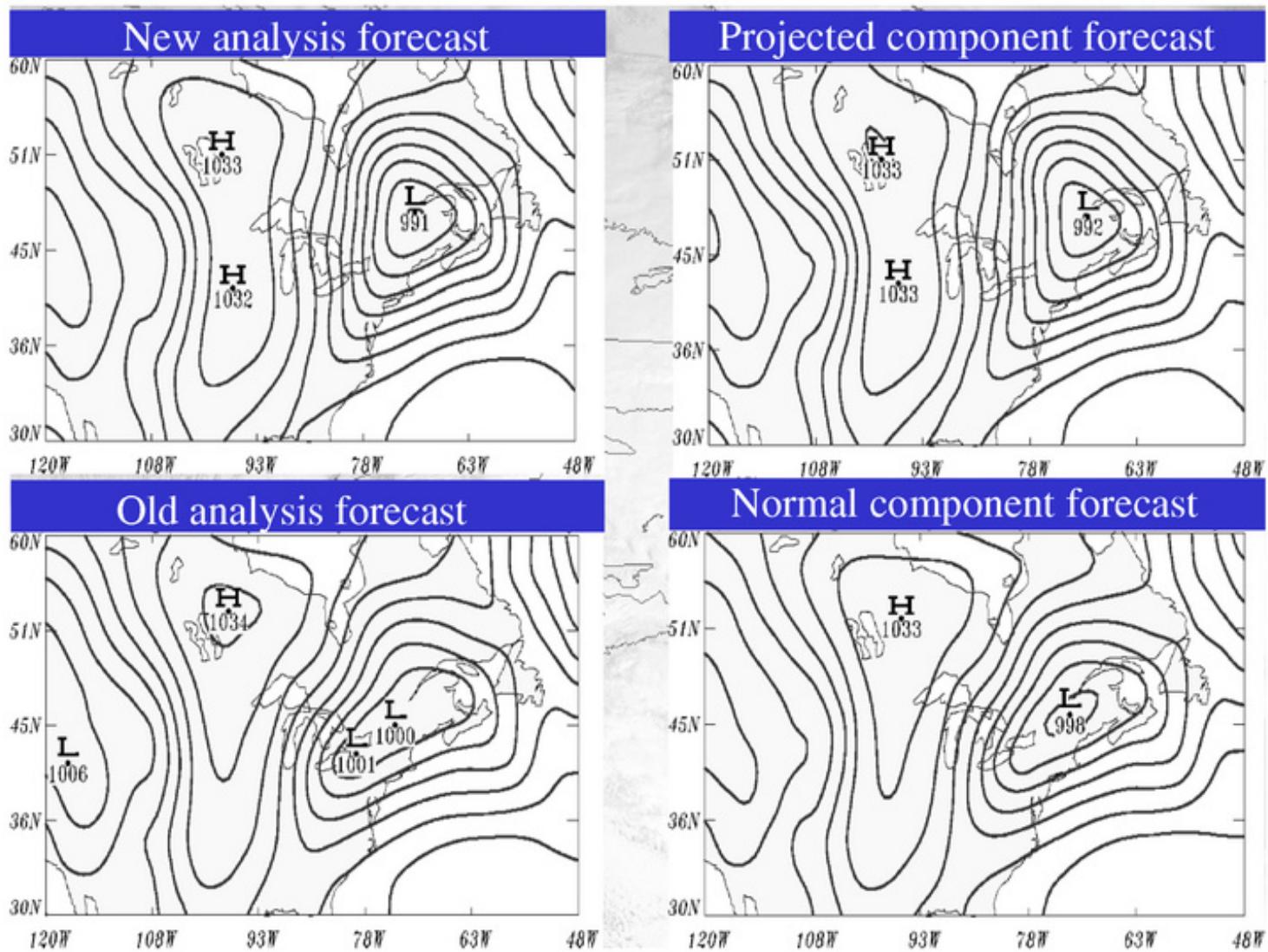
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Conclusions

- The key analysis error algorithm was able to locate the main area of analysis errors responsible for the forecast failure;
- The algorithm was able to extract the component in the new 3D-Var responsible for the forecast improvements;
- Although δX^d is three times more energetic than δX^s , only 13% of δX^d projects onto δX^s . We showed that this small component of δX^d is however responsible for most of the improvements.